

Development of an eddyresolving coupled ocean – ice model of the Arctic region

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Development of a modern high-resolution coupled model of the polar ocean - ice - atmosphere - land system. The model will provide the operative forecast of physical processes in the hydrometeorological component of the Arctic climate system for the information support of governmental, social, and economical activities in the Russian sector of the Arctic. 2. Model physics requirements

1. Ocean upper layer

ocean - atmosphere interaction

ocean - ice interaction

Ekman layer

surface mixed layer

solar radiation

generation of turbulence

2. Horizontal processes

boundary currents eddy dynamics exchange through straits

- 3. Upwelling
- 4. Tides
- 5. Water budget

surface level change

wetting and drying

- 6. Tracer advection
- 7.Bottom currents

Horizontal scales, except for vertical mixing, are $L \sim 10^3 - 10^4$ m, H~1C ______ ~10^0 - 10^2 h

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3. Computational requirements



4. INM - IO ocean model: basic equations



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4. INM - IO ocean model: boundary conditions

Ocean - atmosphere interaction:

bulk formulae CCSM (CORE protocol) or (Launiainen, Vihma, 1990) + direct treatment of water, salt and radiation fluxes

Ocean - ice interaction: ice thermodynamics model(Scrum, Backhaus, 1999)

Solid boundaries: zero fluxes or zero velocities

Liquid boundaries: velocities and T,S of incoming flows

+ Framework for coupling models of other climate system components

Finite volume method mutually consistent numerical schemes for water and tracer transport

Momentum advection: centered difference scheme potentially unstable on highly distorted grid cells

Tracer advection: Flux corrected transport (Zalesak, 1979), Second order moments (Prather, 1986) different schemes for different resolutions

Vertical mixing: Munk-Anderson (1958), Gent-McWilliams (Griffies, 1998), KPP (Durski, 2004)

Horizontal mixing: Smagorinsky viscosity, diffusivity, and biharmonical filter (Griffies, 2000)

Barotropic dynamics: predictor-corrector scheme for shallow water equations (MOM5)

5. Implementation: model grid and domain decomposition



Global tripolar grid (Murray, 1996)

2D domain decomposition with fully local data and computation Linearly scalable up to 32 000 processor cores 6. Numerical experiments: seasonal variability (CORE-I forcing)

60°E 90°E 80°E 70°E 60°E 50°E 40°E 0° 5°E 10°E 15°E 20°E 25°E 30°E 35°E

Sea surface temperature on January 1 after 3 years of Arctic ocean model integration with 0.1° resolution



6. Numerical experiments: radioactive pollution transport



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6. Numerical experiments: radioactive pollution transport



Forecats of ¹³⁷Cs spreading on the Barents Sea surface in INM-IO (top) and ROMS (bottom) models after 6(*left*) and 12(right) months after emission

(Heldal et al, 2013)

≁ Coupling with the CICE-5 ice model

- Assimilation of AVISO Argo data

Nested grids for more detailed simulation of selected seas

Thank you for your attention!

2. Решение уравнений модели для Мирового океана

2.4. Масштабируемость программного кода

Определение. Масштабируемость программного обеспечения - способност программного обеспечения корректно работать на малых и на больших системах с производительностью, которая увеличивается пропорциональны вычислительной мощности системы.



Macштабируемость AMR для адвекции-диффузии. (Ghattas O., World Modelling Summit for Climate Prediction Reading, UK, 2008)



Масштабируемость модели Мирового океана, разработанной в ИВМ, ИО РАН для сеток с разрешением 15' x 15' 7,5' x 7,5' (Ибраев, Калмыков, Ушаков, 2010)

неявная аппроксимация по времени

$$\frac{\eta^{p+1} - \eta^{p}}{\tau} + \left(\frac{\partial U}{\partial x} + \frac{\partial V}{\partial y}\right)^{p+1} = \frac{1}{\rho_{f}}W^{l}$$

$$\frac{U^{p+1} - U^{p}}{\tau} - fV^{p} = -gH\left(\frac{\partial \eta}{\partial x}\right)^{p+1} + R^{x} \\ \Rightarrow \frac{\eta^{p+1}}{\tau} - \tau gH\left(\frac{\partial^{2}U}{\partial x^{2}} + \frac{\partial^{2}V}{\partial y^{2}}\right)^{p+1} = R$$

$$\frac{V^{p+1} - V^{p}}{\tau} + fU^{p} = -gH\left(\frac{\partial \eta}{\partial y}\right)^{p+1} + R^{y}$$

явная аппроксимация по времени

$$\frac{\eta^{p+1} - \eta^{p}}{\tau} + \left(\frac{\partial U}{\partial x} + \frac{\partial V}{\partial y}\right)^{p} = \frac{1}{\rho_{f}}W^{l}$$

$$\frac{U^{p+1} - U^{p}}{\tau} - fV^{p} = -gH\left(\frac{\partial \eta}{\partial x}\right)^{p+1} + R^{x}$$

$$\frac{V^{p+1} - V^{p}}{\tau} + fU^{p} = -gH\left(\frac{\partial \eta}{\partial y}\right)^{p+1} + R^{y}$$

$$\Rightarrow \begin{cases} \tau << \Delta t \\ [t^{l};t^{l} + 2\Delta t] \\ 2 \cdot pl, pl = \Delta t/\tau \end{cases} \Rightarrow \begin{cases} \psi^{l+1} = \frac{1}{2 \cdot pl + 1} \sum_{p=0}^{2 \cdot pl} \eta^{p} \\ \psi^{l+1} = \frac{1}{2 \cdot pl + 1} \sum_{p=0}^{2 \cdot pl} U^{p} \\ \psi^{l+1} = \frac{1}{2 \cdot pl + 1} \sum_{p=0}^{2 \cdot pl} U^{p} \end{cases}$$