

Land surface climate analysis

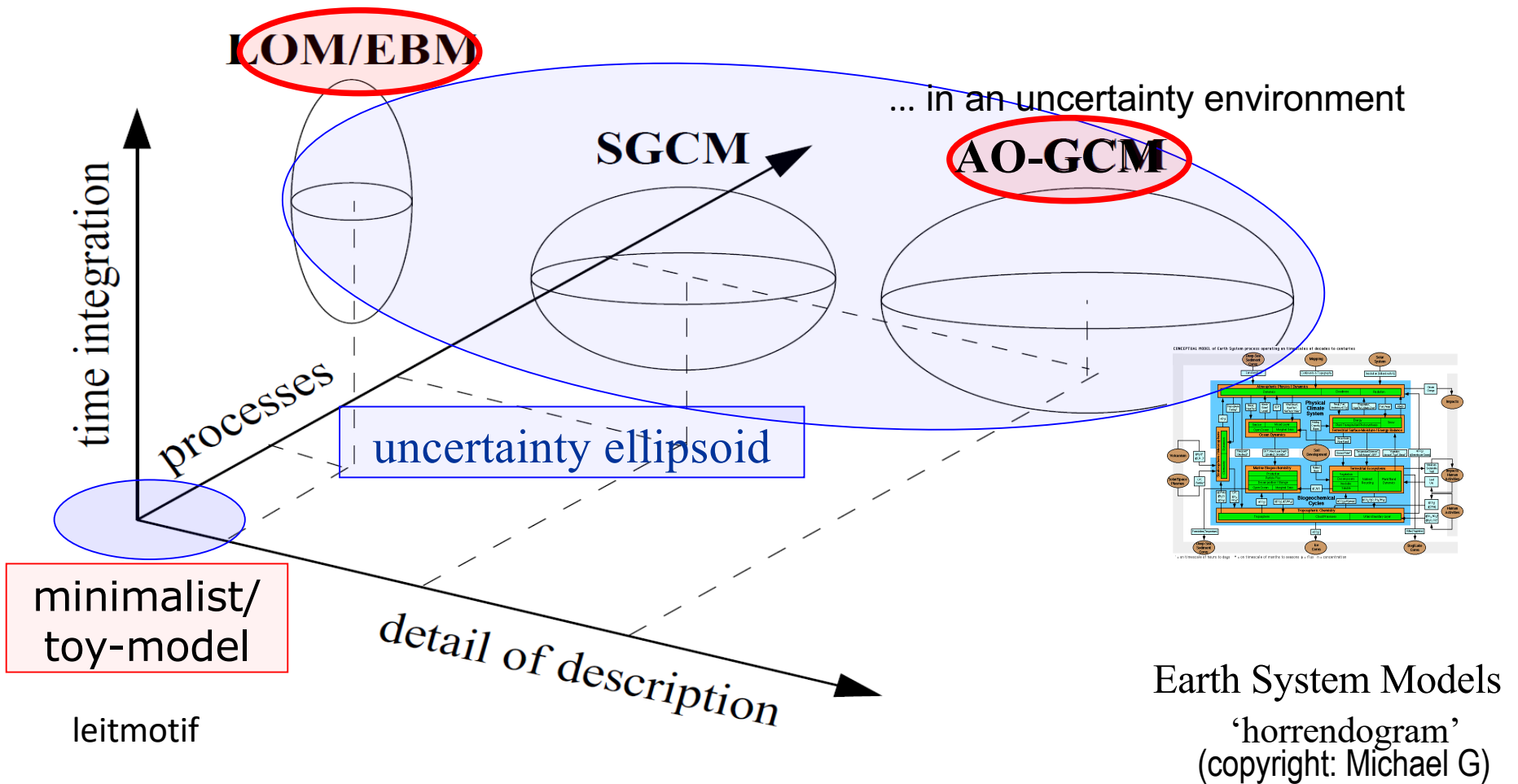
– along the rainfall-runoff chain –

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- | | |
|----------------------------|---|
| 1. Introduction | <i>from models to toys</i> |
| 2. Water Supply and Demand | <i>minimalist models</i> |
| 3. System Analysis | <i>equilibria & trajectories,
attribution & causality</i> |
| 4. Outlook | <i>criticality, sustainability etc</i> |

1. Introduction

from models to toys

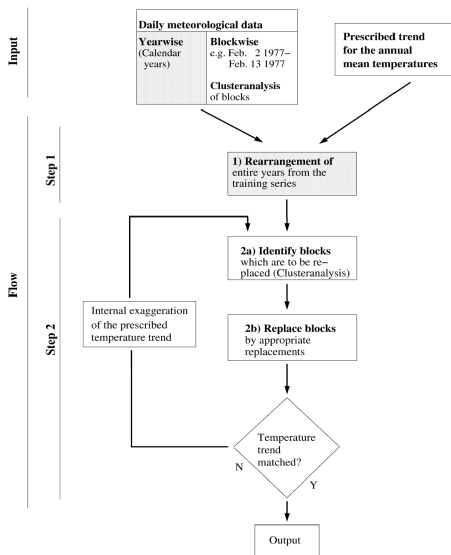


Model Complexity

from models to toys

statistic

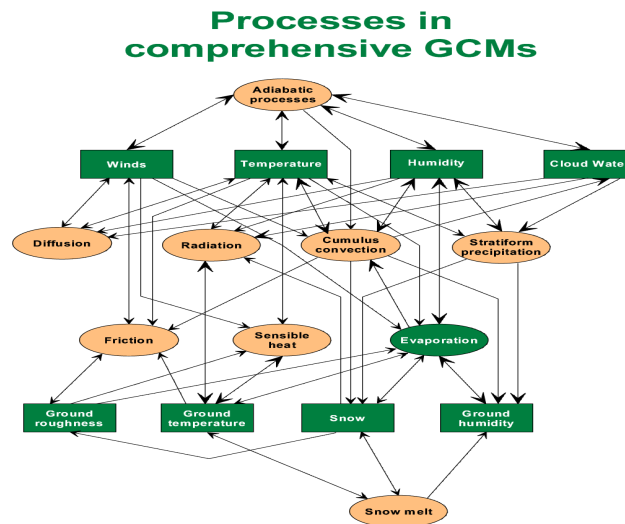
Weather Generators
for regional climates



Statistical regional
climate model (STAR)

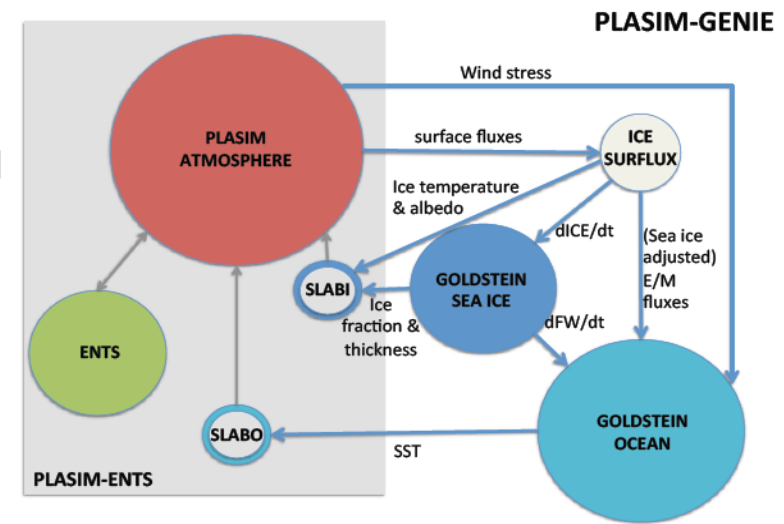
deterministic

General Circulation
Models (GCMs)



Planet Simulator
(PlaSim)

Global Climate
Models (GCMs)



PlaSim – Genie

Zhu, X., KF, and W. Wang, 2013: Future climate in the Tibetan Plateau from a Statistical Regional Climate Model. *J. Climate* 24, 10125-10138.

KF., H. Jansen, E. Kirk, U. Luksch, and F. Lunkeit, 2005: The Planet Simulator: Towards a user friendly model. *Meteorol. Zeitschrift*, 14, 299-304

KF., 2012: A suite of user-friendly global climate models: Hysteresis experiments. *Eur. Phys. J. Plus*, 127, doi: 10.1140/epjp/i2012-12053-7

Holden, P.B., N.R. Edwards, KF, E. Kirk, F. Lunkeit, and X. Zhun 2016: PLASIM-GENIE: a new intermediate complexity AOGCM. *Geosci. Model Dev.* 9, 3347-3361.

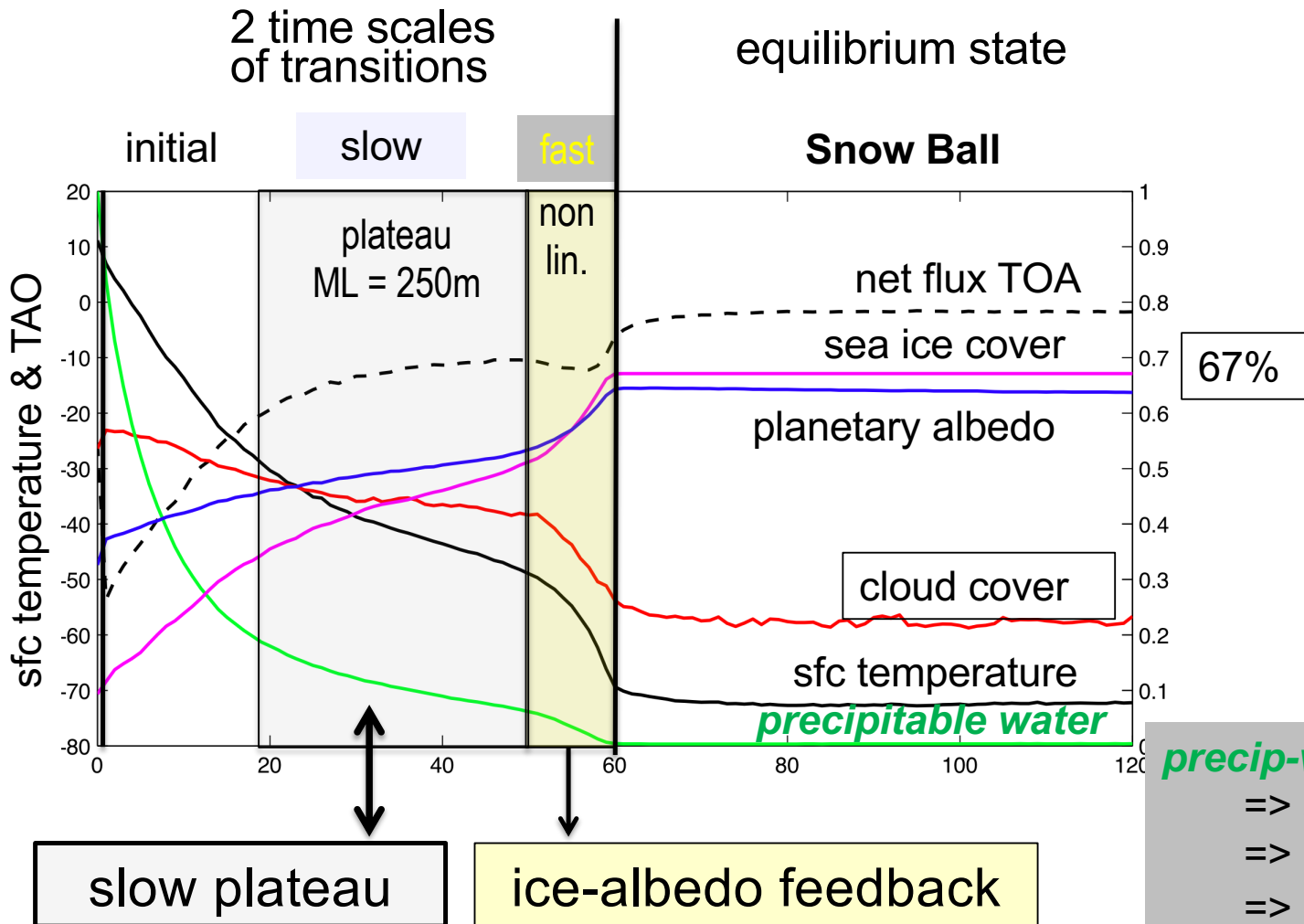
Holden, P.B., N.R. Edwards, P.H. Garthwaite, K. Fraedrich, F. Lunkeit, E. Kirk, M. Labriet, A. Kanudia, and F. Babonneau, 2014: PLASIM-ENTSem: a spatio-temporal emulator of future climate change for impacts assessment. *Geosci. Model Dev.* 7, 433-451

Holden, P.G., N. R. Edwards, A. Ridgwell, R. D. Wilkinson, K. Fraedrich, F. Lunkeit, H. E. Pollitt, J.-F. Mercure, P. Salas, A. Lam, F. Knobloch, U. Chewpreecha and J.E. Viñuales 2018: Climate-carbon cycle uncertainties and the Paris Agreement. *Nature Climate Change*, 8, 609-613

Simulation (time series)

atmos. water content

abrupt into a snowball Earth: CO_2 & $\text{O}_3 = 0$

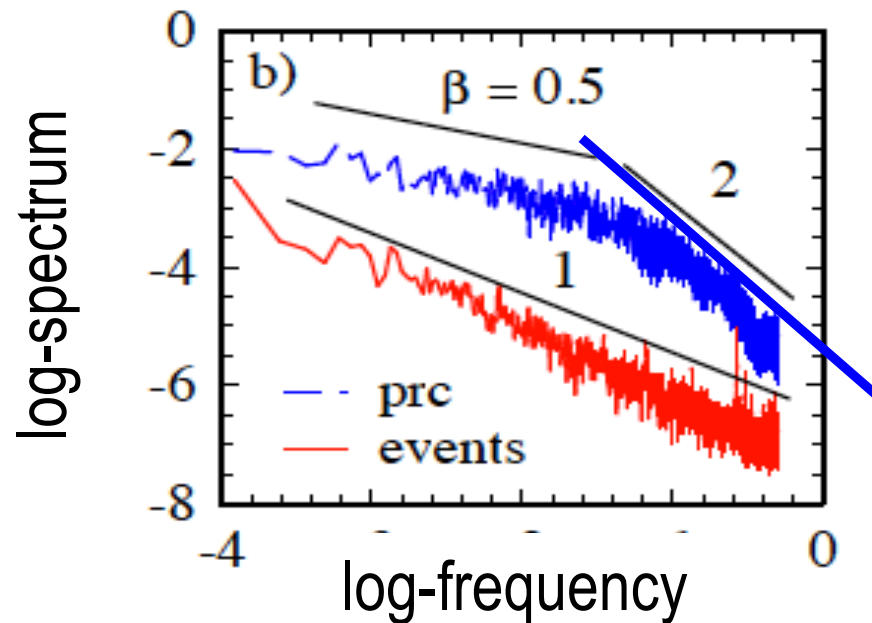
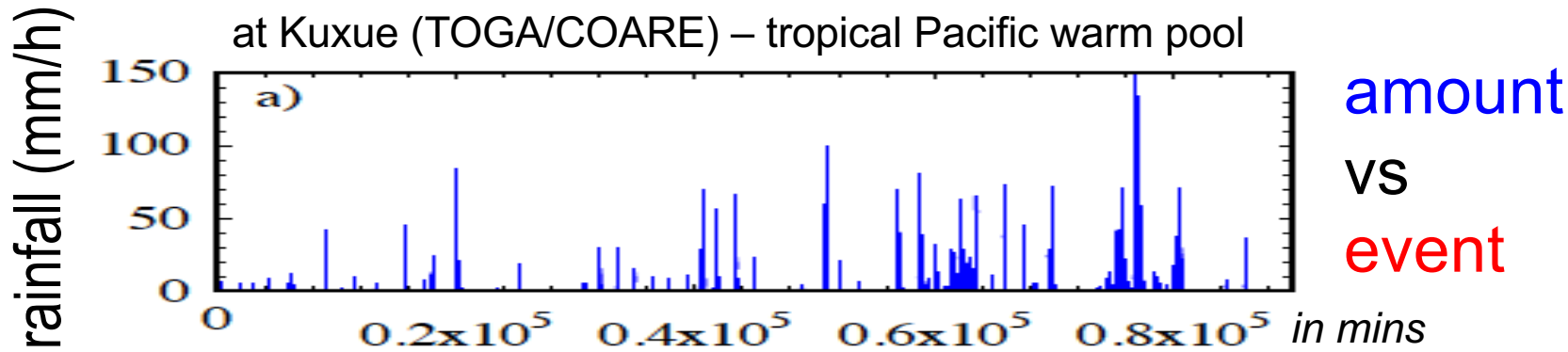


Planet Simulator
global response
transient experiment
ocean: ML = 250m

precip-water: most rapid decrease
=> sea ice growth
=> albedo increase
=> global scale ice-albedo feedback
=> fast transition to snowball

Observation (time series)

local rainfall



... and scaling f^β

blue: rainfall amount $\beta \sim 2$
=> *AR(1)*-process plus Long Term Memory (LTM)

red: binary events $\beta \sim 1$
=> *intermittency* ~ Flicker noise

toy: censored *AR(1)* – process

2. Water Supply *and* Demand

toy-models

Jennings' rain (1955)

Linacre's potential evapotranspiration (1977)

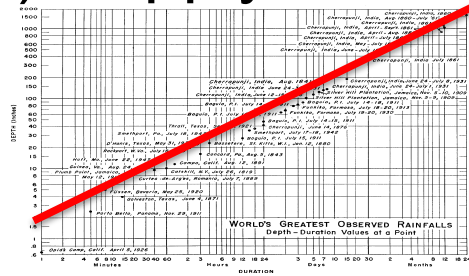
Schreiber's run-off (1904)

State spaces (Budyko frame work)

from Supply *to* Demand

minimalists' toys geogr. space

i) Supply: **Rainfall** event/extreme

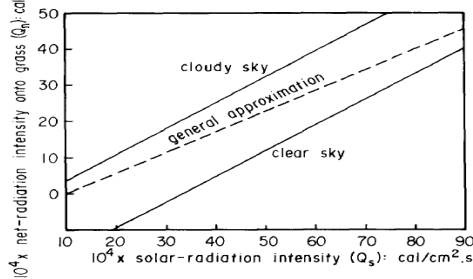


$$P(d) \approx d^{1/2}$$

Scaling & Jennings' (1950) law

- a censored $AR(1)$ – Intermittency

ii) Demand: Pot. **Evapotransp.** N

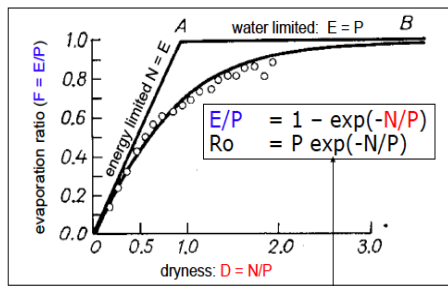


$$N = \frac{1}{2} \text{ Solar}$$

Linacre (1977), Abtew (1996)

- max entropy production (MEP)

iii) Rainfall – **Runoff** Chain



$$Ro = P \exp(-N/P)$$

Rainfall P and Net radiation N

Schreiber's (1904) formula

- a biased coin-flip Ansatz -

i) Water supply...

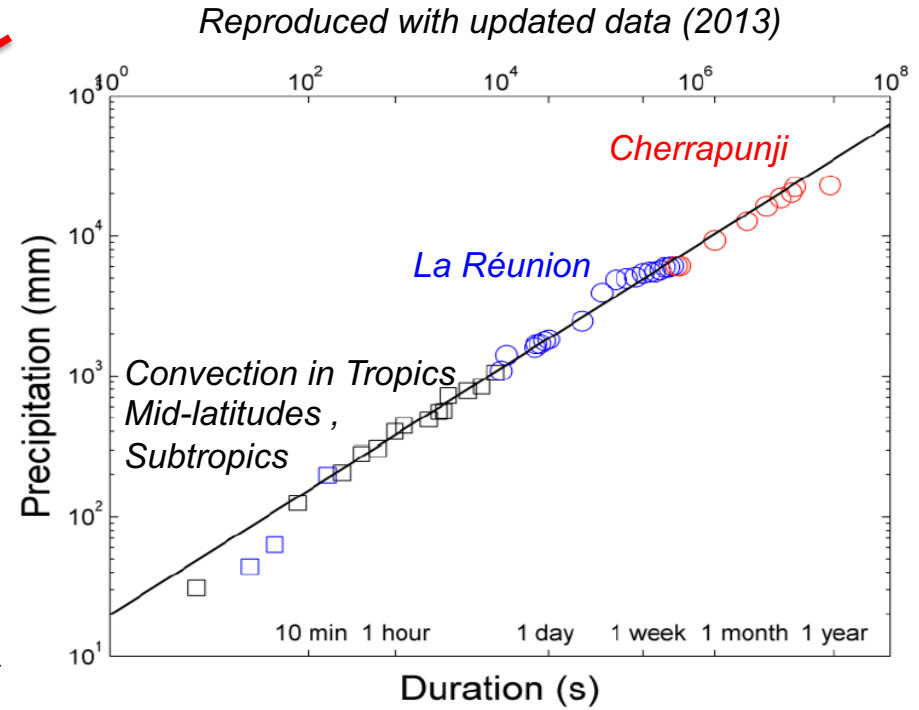
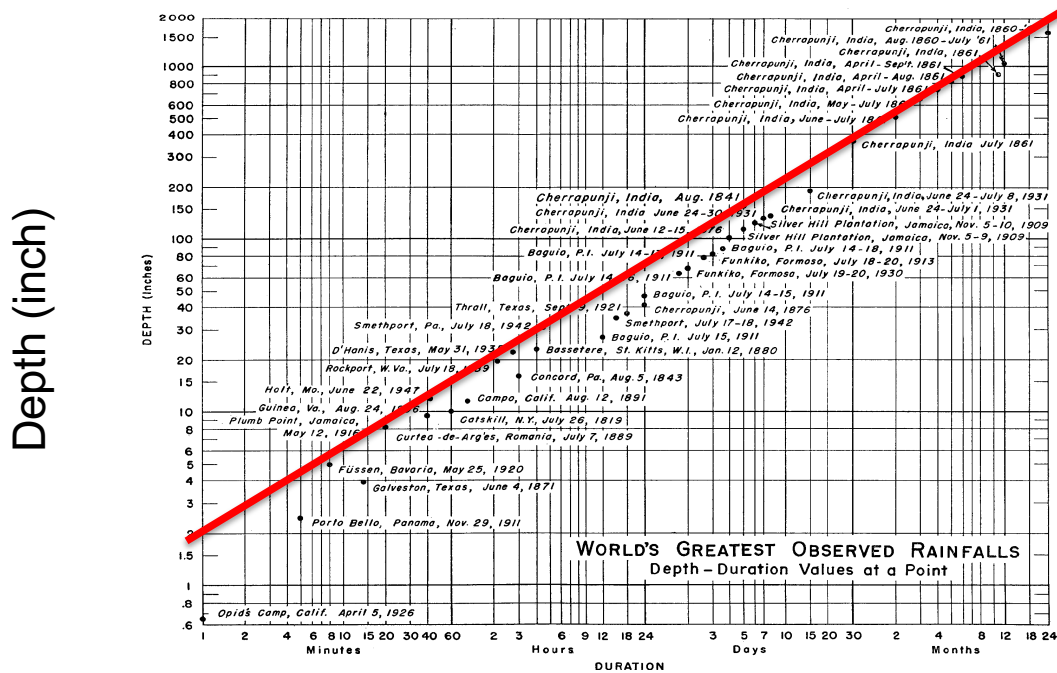
world's greatest point rainfall

and Jennings' (1950) scaling law

MONTHLY WEATHER REVIEW

WORLD'S GREATEST OBSERVED POINT RAINFALLS

ARTHUR H. JENNINGS



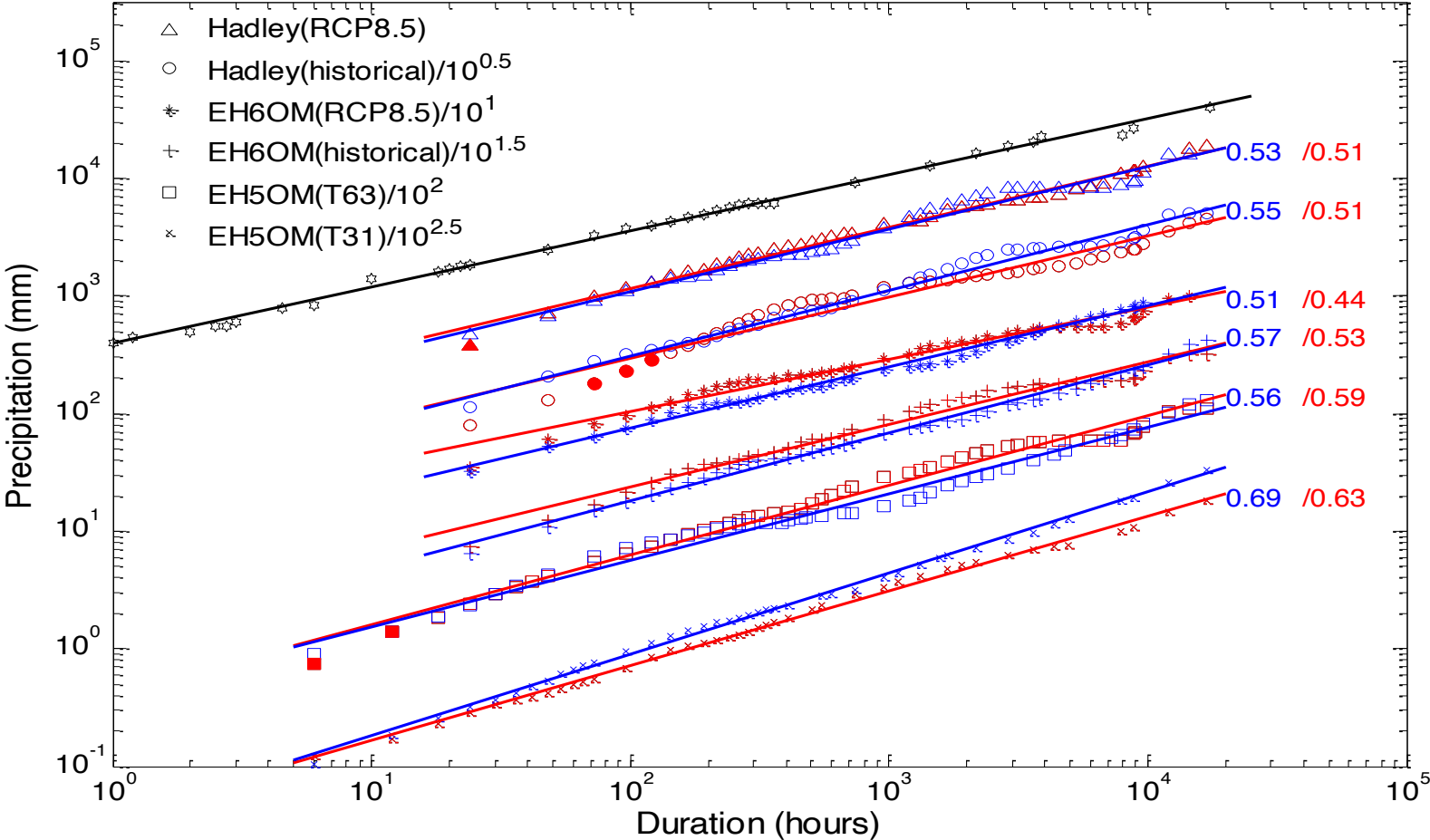
empirical

Jennings' Scaling Law (1951) P max local precipitation
 d duration

$$P(d) \approx d^{1/2}$$

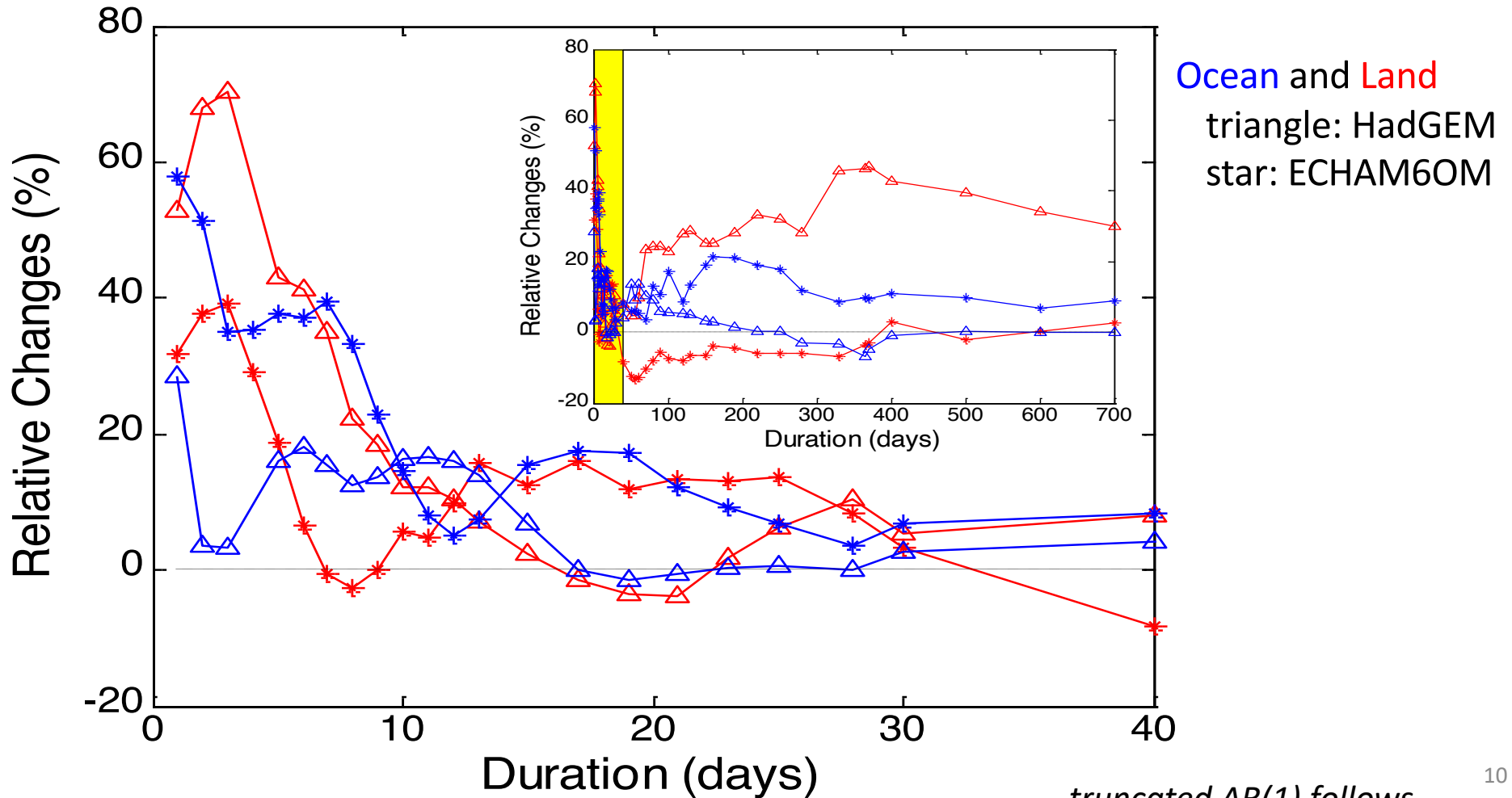
GCMs (sim.) Greatest point rainfall vs. time duration

land, ocean, and world wide observed



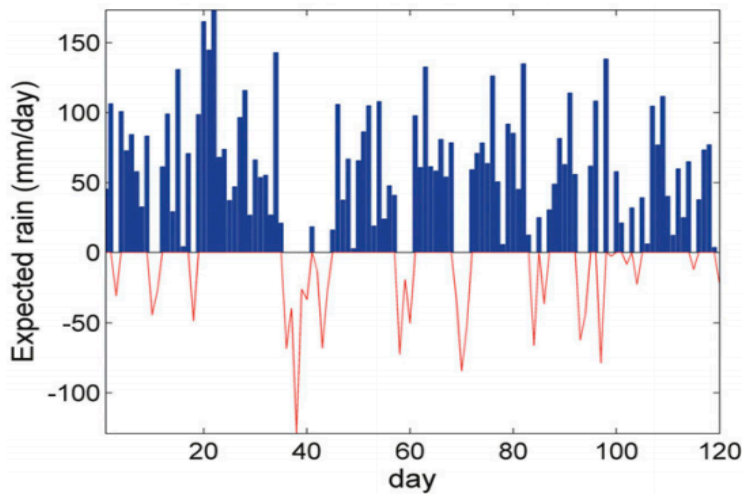
Water supply Jennings scaling law – present / warmer future

warmer climates: rainfall extremes become more severe at shorter duration time scales



Water supply

... a minimalist model



Toy model censored AR(1)

Interpretation: vertical water flux
rainfall-efficiency = 1
Data: daily 850hPa, ERA, Fangcheng

$$m(t) - M = a (m(t-1) - M) + \varepsilon$$

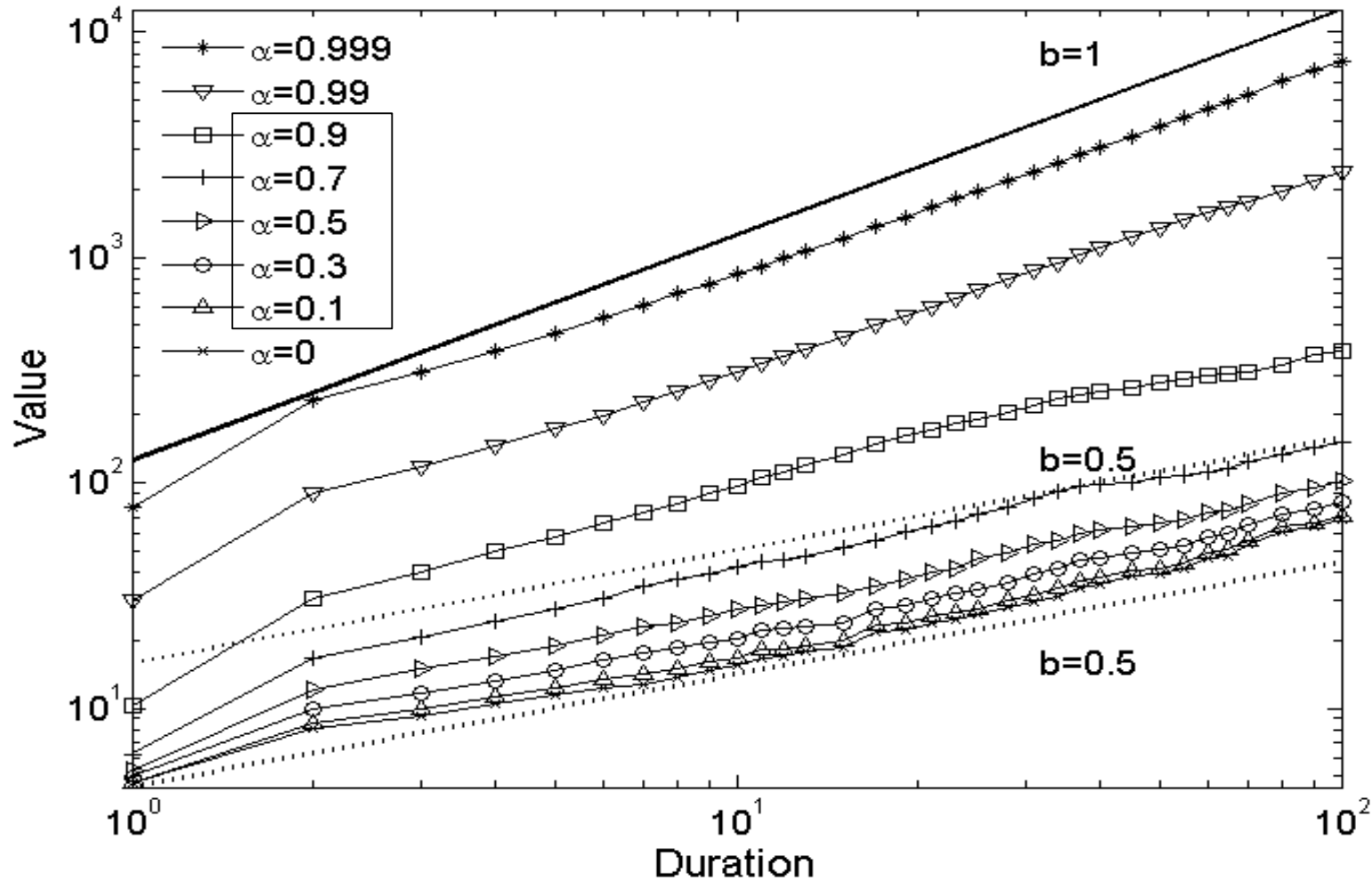
vertical water flux m
mean M
time t

autocorrelation $a = 0.31$
memory (integral time scale) $1/(1-a)$
random noise ε

Water supply

$$\text{truncated AR}(1): m(t) = a \cdot m(t-1) + r$$

Gaussian noise with zero mean and unit variance



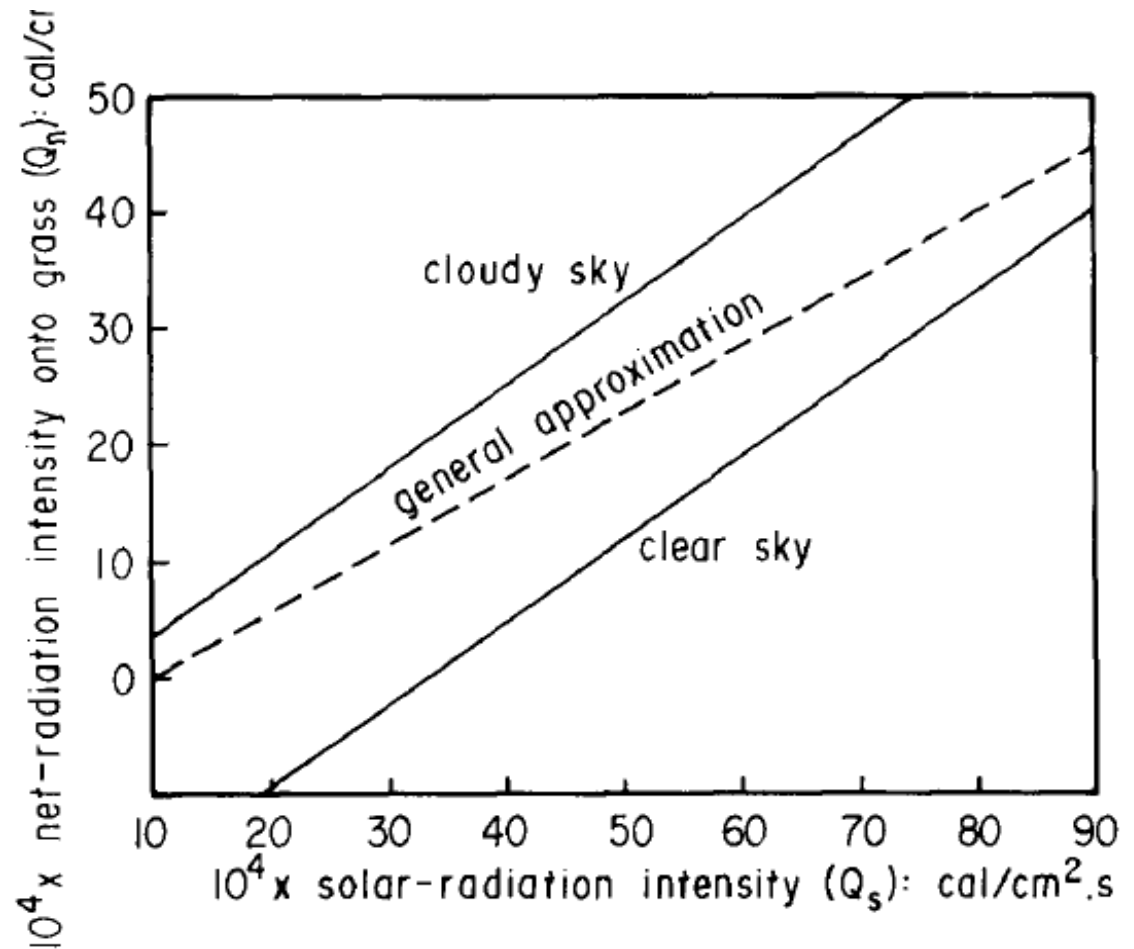
ii) Water demand N

catchment scale pot. evapotranspiration

Linacre-77 Net rad = $\frac{1}{2}$ Solar

Abtew-99 PET = 0.53 Solar

Linacre: Net & solar radiation with cloudiness extremes:
Dashed: intermediate relationship assumed applicable generally.



Abtew W. 1996. Evapotranspiration measurement and modeling for three wetland systems in South Florida. Water Resources Bulletin 32, 465-473.

Linacre E.T. 1977. A simple formula for estimating evaporation rates in various climates, using temperature data alone. Agricultural Meteor. 18: 409-424

Water demand N

... and on continental scale

TABLE 1b. Surface components of the annual mean energy budget for the globe, global land, and global ocean, except for atmospheric solar radiation absorbed (Solar absorb, left column), for the ERBE period of Feb 1985 to Apr 1989 (W m^{-2}). Included are the solar absorbed at the surface (Solar down), reflected solar at the surface (Solar reflect), surface latent heat from evaporation (LH evaporation), sensible heat (SH), LW radiation up at the surface (Radiation up), LW downward radiation to the surface (Back radiation), net LW (Net LW), and net energy absorbed at the surface (NET down). HOAPS version 3 covers 80°S – 80°N and is for 1988 to 2005. The ISCCP-FD is combined with HOAPS to provide a NET value.

Global	Solar absorb	Solar down	Solar reflect	LH evaporation	SH	Radiation up	Back radiation	Net LW	NET down
KT97	67	168	24	78	24	390	324	66	0
ISCCP-FD	70.9	164.9	24.0	-	-	395.9	344.8	51.1	-
NRA	64.4	161.9	45.2	80.2	15.3	395.5	334.1	61.5	4.9
ERA-40	80.7	155.8	23.1	82.3	15.3	394.8	340.3	54.4	3.8
JRA	75.0	168.9	25.6	85.1	18.8	395.6	324.3	71.3	-6.3
Land									
ISCCP-FD	69.9	147.2	42.9	-	-	377.8	318.7	57.5	-
NRA	59.1	155.2	68.9	52.0	27.1	369.7	295.9	73.8	2.3
ERA-40	86.0	134.3	42.9	40.9	25.8	370.3	304.9	65.3	2.3
JRA	72.2	154.9	51.5	39.5	27.3	372.7	286.7	86.0	2.1
Ocean									
ISCCP-FD	71.4	171.5	17.0	-	-	402.7	354.5	48.2	10.4
NRA	66.3	164.3	36.7	90.3	11.0	404.9	347.9	57.0	6.0
ERA-40	78.8	163.5	15.9	97.3	11.5	403.6	353.1	50.5	4.2
JRA	76.0	173.9	16.2	101.5	15.8	403.9	337.9	66.0	-9.4

<Net rad> \approx
< $\frac{1}{2}$ Solar>

Water demand $PET \approx N = \frac{1}{2} \text{ Solar}$

*quantitative
reversible*

Radiation balance $N = \text{Solar} - \text{Long}$

terr. rad flux

$$\text{Long} = K (T_{\text{sfc}} - T_{\text{atm}})$$

heat flux

$$J = N = E + H$$

thermodyn feedback

$$J = \text{Solar} - K (T_{\text{sfc}} - T_{\text{atm}})$$

linear with $K = d(\sigma T^4)/dT |_{T_0}$

$$(T_{\text{sfc}} - T_{\text{atm}}) = (S - J) / K$$

small grad T if J large

=> thermod. limit of max power prod

KE-Generation

$$G = \text{dissipation } D$$

steady state

$$G = (\text{heat flux } J) \times (\text{efficiency } \eta)$$

Efficiency

=>

$$\eta = (T_{\text{sfc}} - T_{\text{atm}}) / T_{\text{sfc}}$$

Carnot (reversible)

$$G = J (T_{\text{sfc}} - T_{\text{atm}}) / T_{\text{sfc}}$$

$$= J (S - J) / (K T_{\text{sfc}})$$

$$G = (J S - J^2) / (K T_{\text{sfc}})$$

Optimizing

=>

$$dG/dJ = 0$$

$$0 = S - 2J$$

$$S = 2J = 2N \quad \text{or} \quad N = \frac{1}{2} S$$

iii) Water supply P & demand N

catchment scale
Schreiber's (1904) equation

METEOROLOGISCHE ZEITSCHRIFT. OKTOBER 1904.

Über die Beziehungen zwischen dem Niederschlag und der Wasserführung der Flüsse in Mitteleuropa.

Von Dr. PAUL SCHREIBER.

empirical

$$y = x \cdot e^{-\frac{k}{x}}$$

jährliche Abflußhöhe y
Niederschlagshöhe x

minimalist model

$$R_o = P \exp(-N/P)$$

Supply P rainfall
Demand N net rad (pot.
evapot) Loss R_o runoff

$D = N/P = \text{dryness}$

theor. underpinning

Supply & demand blue – green water

'ideal *rainfall–runoff* chain'

from a *biased* coinflip stochastic model
to an equation of state (P, N, Ro)

'upper world'
forcing

random atmosphere

'bias'

fast 'bias'-sphere

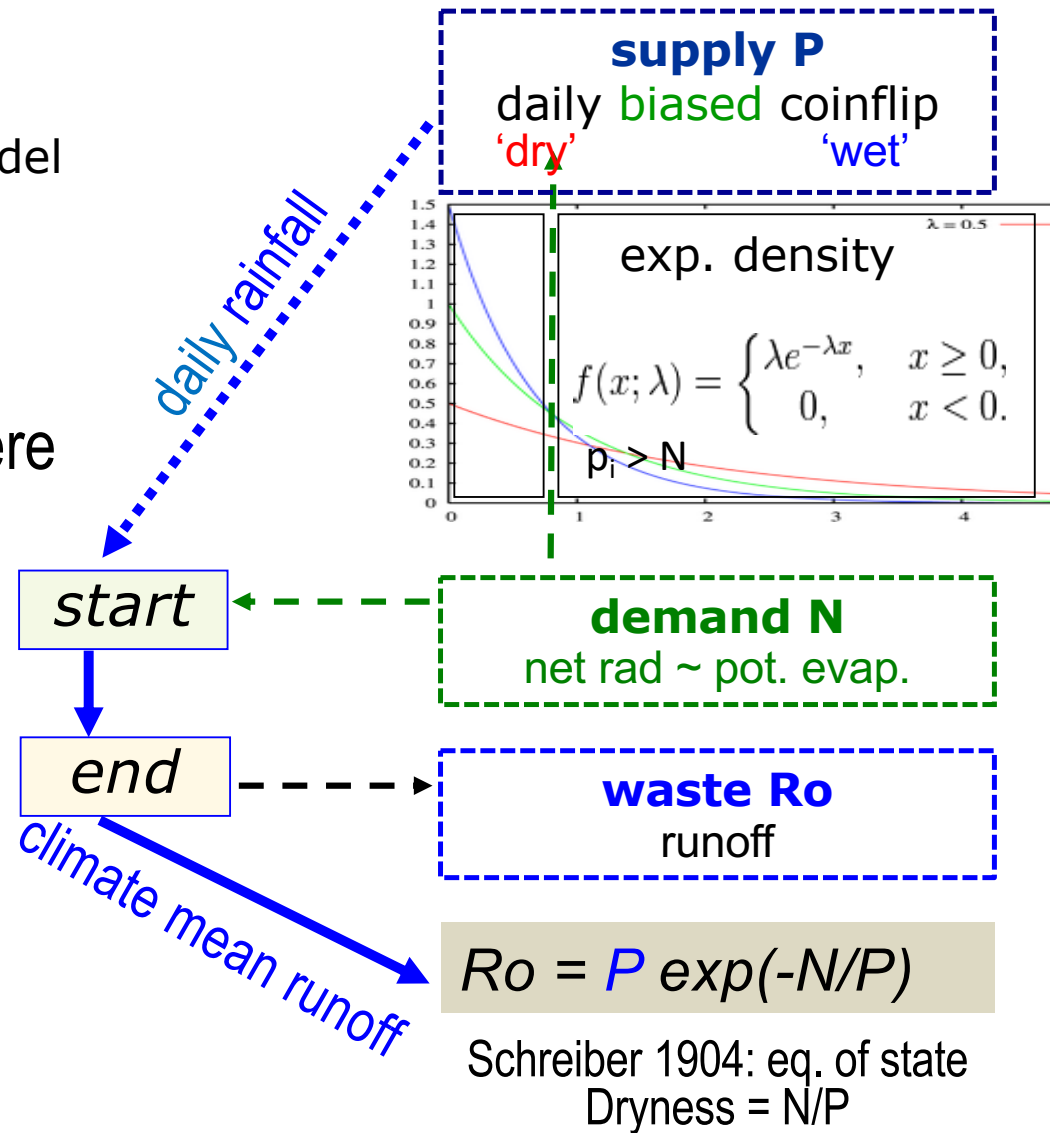
'under world'
response

slow soil

2 time scales:

fast $t \Rightarrow 0$

slow $t \Rightarrow \infty$



'ideal rainfall–runoff chain'

quantitative

random
atmosphere

water supply	exponentially distributed daily rainfall p_k $prob(p_k \leq p^*) = 1 - exp(-p^*/P)$
water demand	biased coin-flip daily rainfall threshold $p^* = N$

fast
biosphere

interception capacity	water in transit: short residence $t \sim 1day$ \sim water equivalent of net radiation $n_k \sim N$
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slow soil

no supply $\Rightarrow ro_k = 0$	$q_0 = prob(p_k \leq N) = 1 - exp(-N/P)$ evapo $e_k = p_k$, sens. heat $h_k = N - e_k$
supply $\Rightarrow ro_k = p_k - e_k$	$q_1 = prob(p_k > N) = exp(-N/P)$ evapo $e_k = n_k = N$

$$Ro = \frac{\int_N^\infty p_k \exp(-p_k/P) dp_k/P}{(P + N) \exp(-N/P)} \text{ minus } \frac{\int_N^\infty N \exp(-p_k/P) p_k/P}{N \exp(-N/P)} \text{ demand } n_k = N$$

'ideal rainfall-runoff chain'

equilibrium water balance
energy balance
plus eq. of state

$$\begin{aligned} 0 &= P - (E + R_o) \\ 0 &= N - (E + H) \end{aligned}$$

$$R_o = P \exp(-N/P)$$

$D = N/P$
= dryness

validation

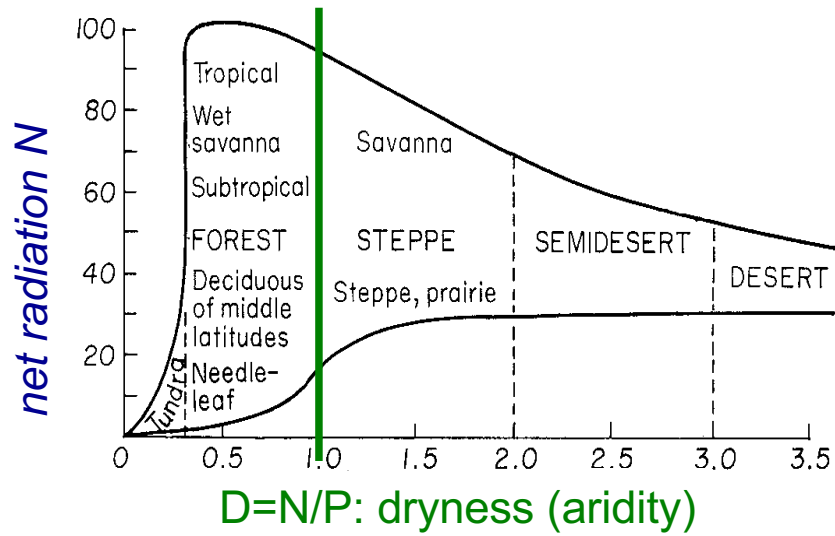
1st, 2nd moment, predictab., sensitivity

KF, Sielmann, Cai, Zhang, Zhu 2015: Validation... *Water Res. Manag.* 29, 313
KF, Sielmann 2011: An equation of state ... *Int. J. Bifurc. Chaos* 21, 3577

... and eco-hydrological state spaces

eco-hydrological state spaces

fluxes

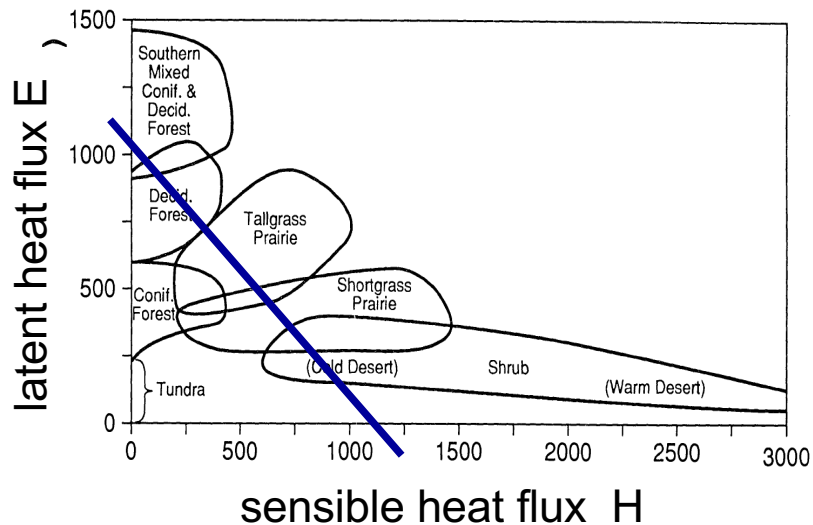


(N,D) - space

N : pole-equator **meridionality** (vertical axis)
 D : dryness (aridity): geo-botanic climate state

Budyko, M. I. (1974): Climate and Life, 508 pp

Application: **embedding vegetation**



(E,H) - space

$N = E + H = \text{const}$: **zonality**
 latent & sensible heat flux: E & H

Stephenson, NL (1998): J Biogeogr. 25, 885-870

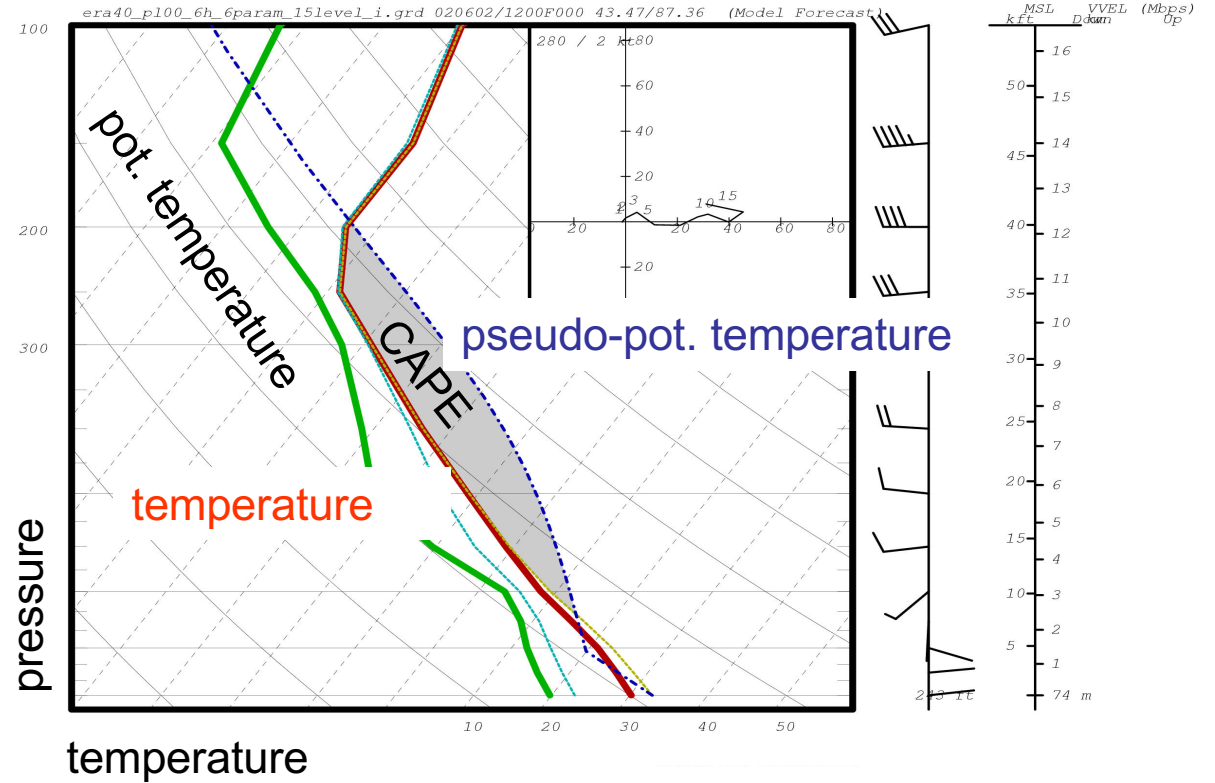
Application: **embedding animals**

an analogy...

thermodynamic diagram

Equation of state
plus
Energy balance
Moisture balance

CAPE: energy available for conv. overturning



towards system analysis

equilibria – trajectories – criticality

rainfall runoff chain			
special trajectories	equilibrium	finite trajectories	criticality
dynamic model state space diagnostics	ideal rainfall-runoff chain validation	attribution of change external-internal causes	index model life systems

Vertebrates – Species Richness
Vegetation Greenness – NDVI

S-America & Tibetan Plateau
Humans – Urbanization – Nighttime Light
Conclusion

3. System Analysis

equilibria and trajectories

(i) Equilibria and state space coordinates

Vegetation – Greenness – NDVI

Vertebrates – Species Richness

(ii) Trajectories attribution of change (internal – external)

Tibetan Plateau & Qinghai Lake

South-America & Lake Titicaca

Humans & Urbanization – Nighttime Light

Cai, D., K. Fraedrich, Y. Guan, S. Guo, C. Zhang, X. Zhu 2019: Urbanization and climate change: Insights from eco-hydrological diagnostics. *Science of the Total Environment (STOTEN)* 647, 29-36
Zhang, X.X., S. Guo, Y. Guan, D. Cai, C. Zhang, K. Fraedrich, X. Han, Z. Z. Tian 2019: Urbanization and spillover effect for three megaregions in China: Evidence from DMSP/OLS nighttime lights. *Remote Sensing* 11,

Cai, D., Fraedrich, K., Guan, Y., Guo, S., Zhang, C. (2017): Urbanization and the thermal environment of Chinese and US-American cities. *Science of the Total Environment (STOTEN)*, 589, 200–211
Cai, D., K. Fraedrich, F. Sielmann, Y. Guan, S. Guo 2016: Land cover characterization and aridity changes of S. America (1982 to 2006): An attribution by eco-hydrological diagnostics. *J. Climate* 29, 8175-8189.

Cai, D., K. Fraedrich, F. Sielmann, L. Zhang, X. Zhu, S. Guo, Y. Guan, 2015: Vegetation dynamics on the Tibetan Plateau (1982 to 2006): An attribution by eco-hydrological diagnostics, *J. Climate* 28, 4576-4584.

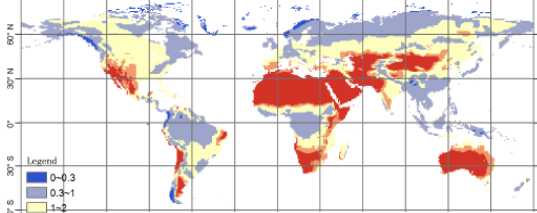
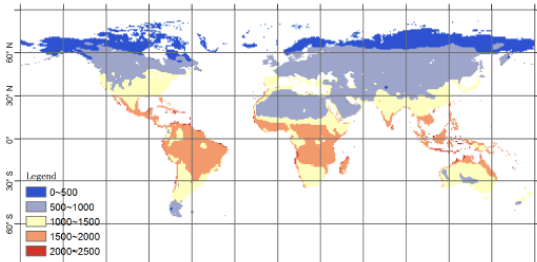
Cai, D., K. Fraedrich, F. Sielmann, Y. Guan, S. Guo, L. Zhang, X. Zhu 2014: Climate and vegetation: An ERA-1 Interim and GIMMS NDVI Analysis, *J. Climate* 27, 5111-5118.

KF., F. Sielmann, D. Cai, X. Zhu 2016: Climate dynamics on watershed scale: along the rainfall-runoff chain. In: *The Fluid Dynamics of Climate*, Intern. Centre for Mech. Sci. (CISM), Springer, 183-209

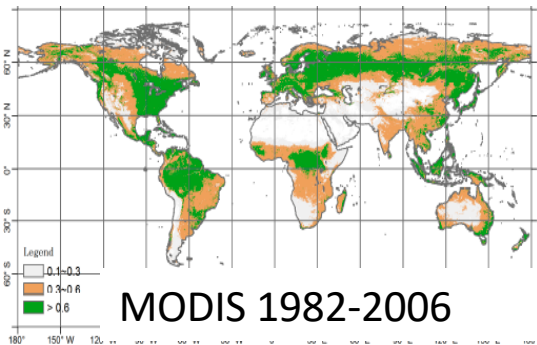
Vegetation greenness (NDVI)

(N,D) – state space

Geographical Space



ERA-interim 1982-2006



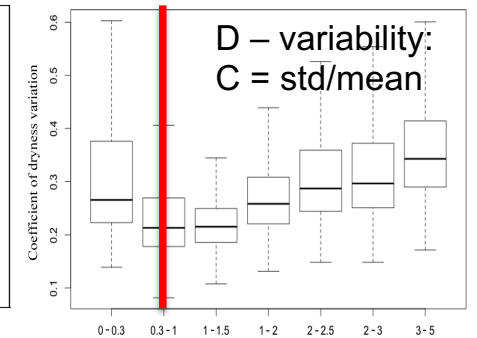
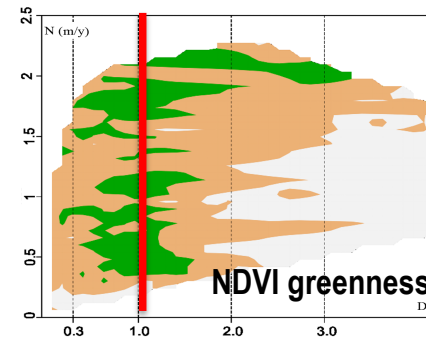
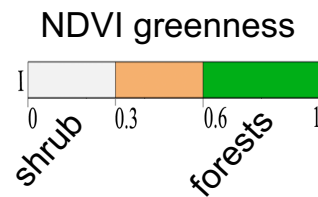
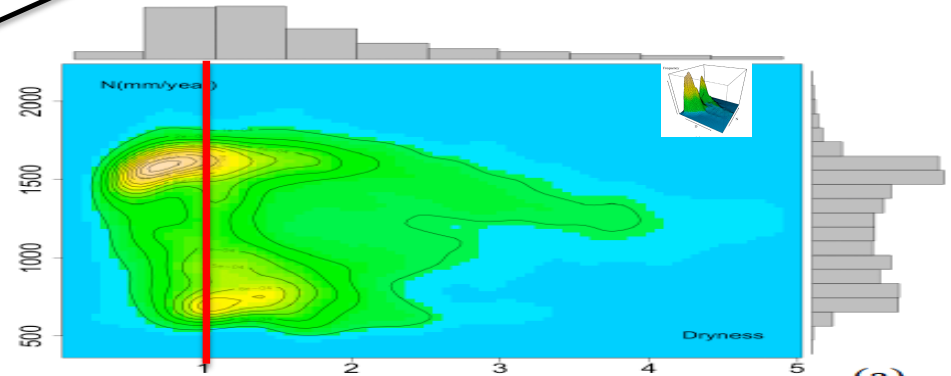
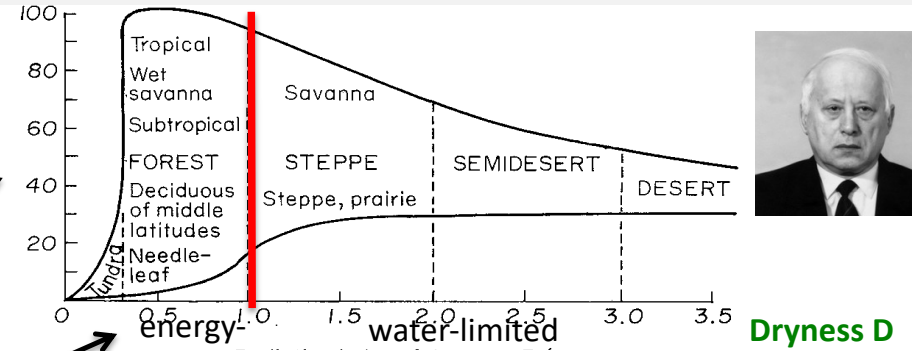
MODIS 1982-2006

Net radiation N
y-axis

~ latitude

Dryness D = N/P
x-axis

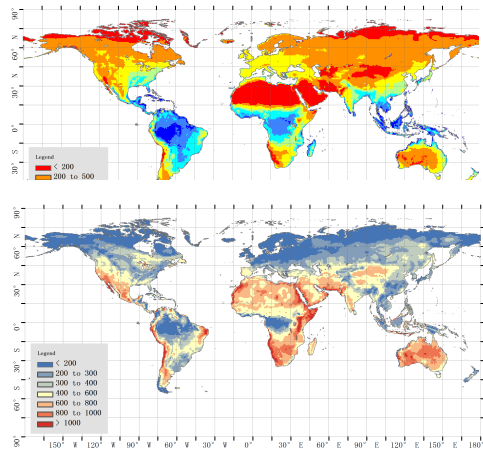
~ biomes



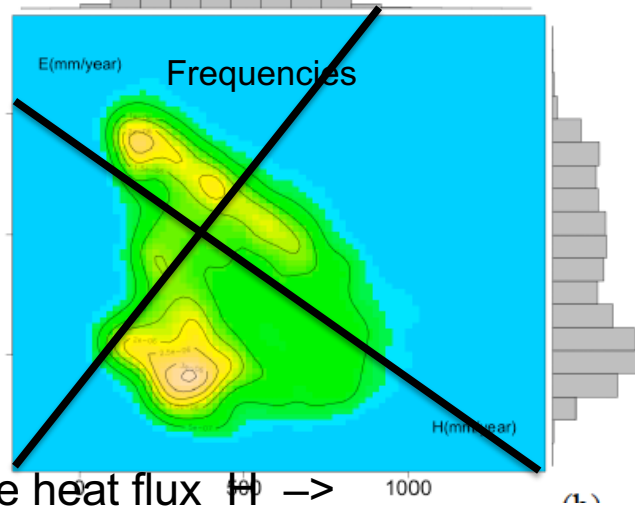
D ~ 1: max NDVI-greenness \leftrightarrow min D-variability

Animals – vertebrates

Geographical Space

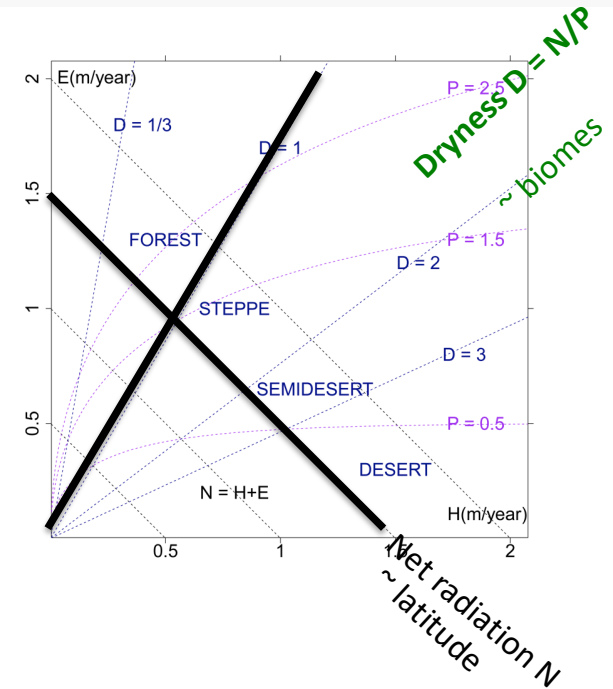


latent heat flux E



sensible heat flux H →

(E,H) – state space



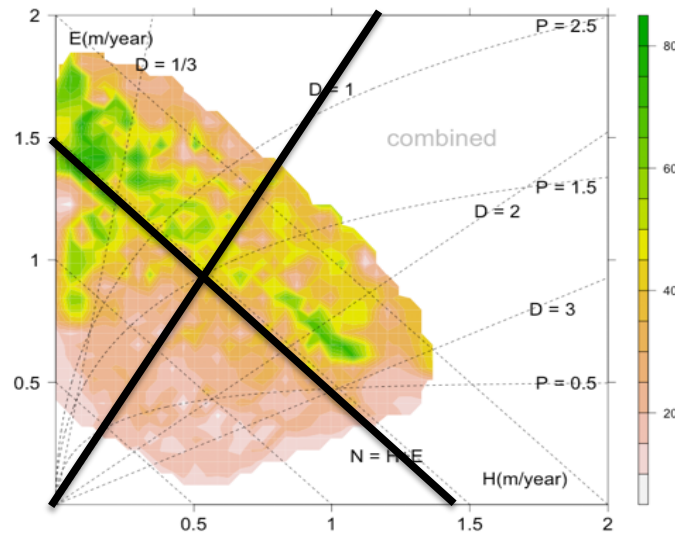
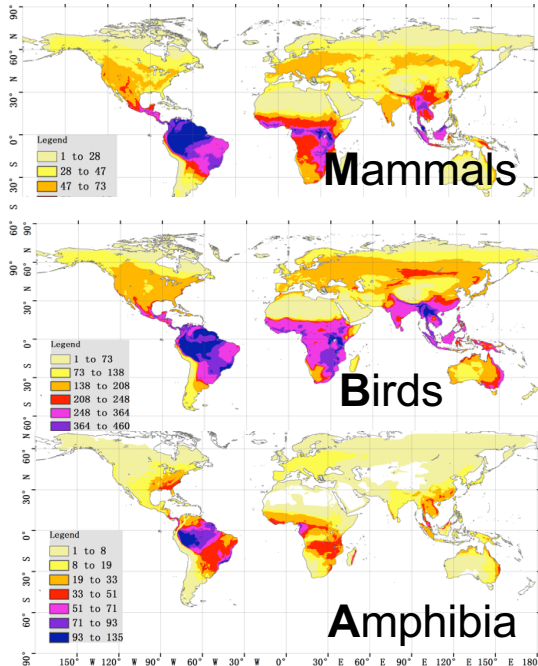
ERA-interim 2001-2013

species richness

census 2013: types per 10x10km²

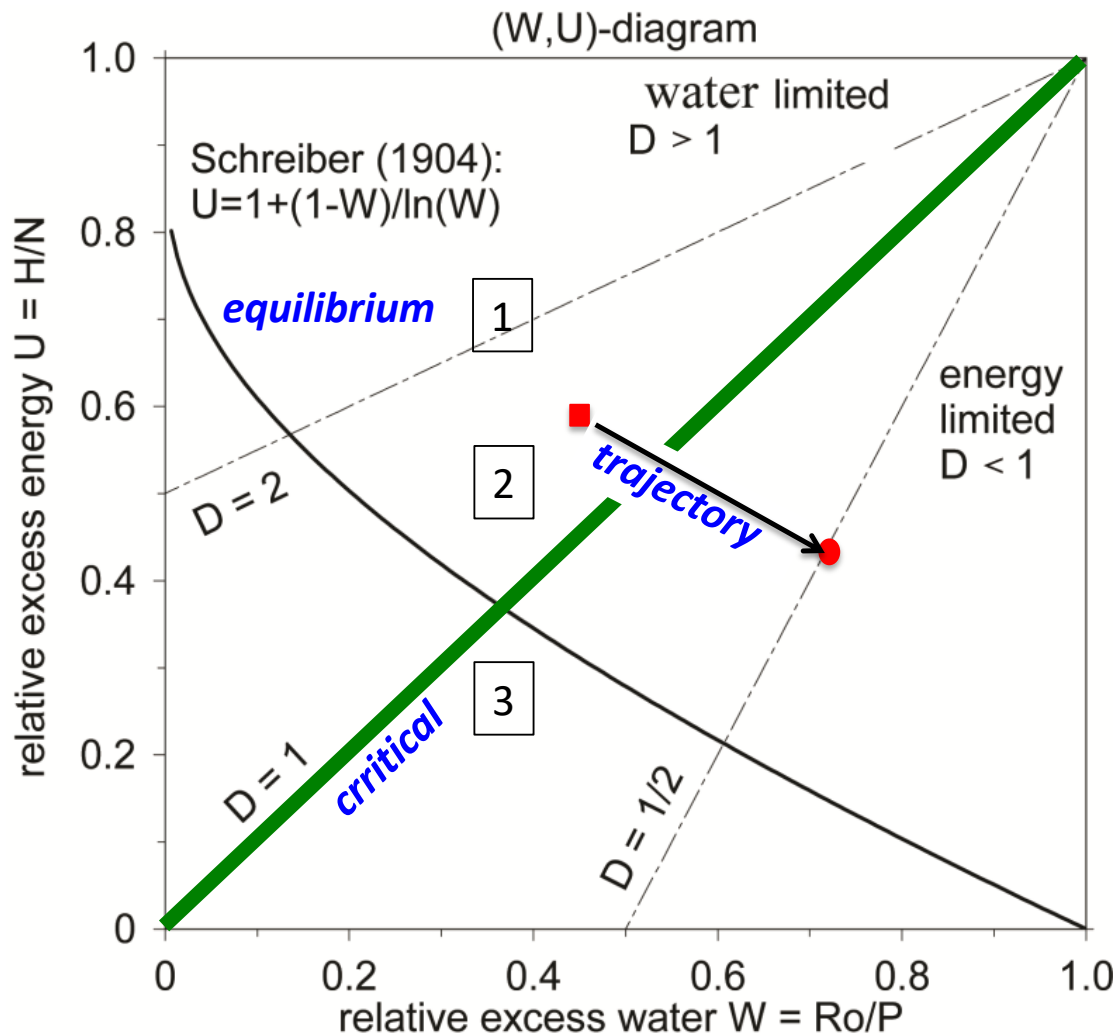
richness thresholds:

$D = 1$ and $N = PET \approx 1.5$ m/yr



eco-hydrological state spaces

(U, W) – state space



flux ratios

$W = Ro/P$ runoff (water excess)

$U = H/N$ energy excess

$D = N/P$ dryness

Application: Attribution of change

<p><i>External</i></p> <p>Decrease in excess water W Increase in excess energy U</p> <p>Climate change: $D = N/P$ increase</p>	<p><i>Internal</i></p> <p>Increase in excess water W and in excess energy U</p> <p>Removal of perennials Conservation tillage Deforestation</p>
<p><i>Internal</i></p> <p>Decrease in excess water W and in excess energy U</p> <p>Afforestation Increased forages & conservation cover</p>	<p><i>External</i></p> <p>Increase in excess water W Decrease in excess energy U</p> <p>Climate change: $D = N/P$ decrease</p>

Attribution of change

Causes of change

external: climate induced
change of flux input N & P

natural variability, climate change

versus

internal: basin induced
change of flux partitioning

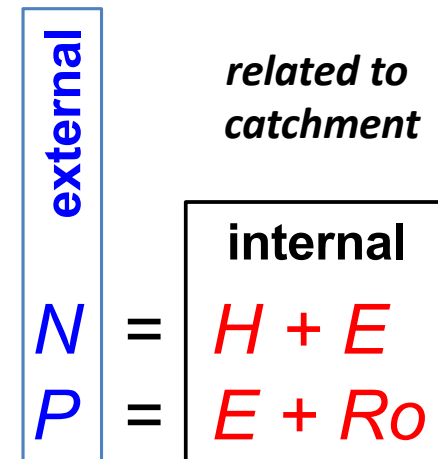
E & N land use, irrigation, grazing

E & R_o water recycling

regional/local human activity

Separation – Ansatz

separation possible in (U,W)-space

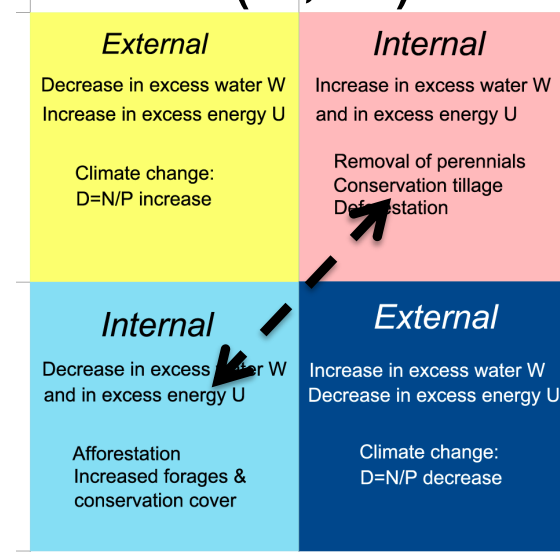
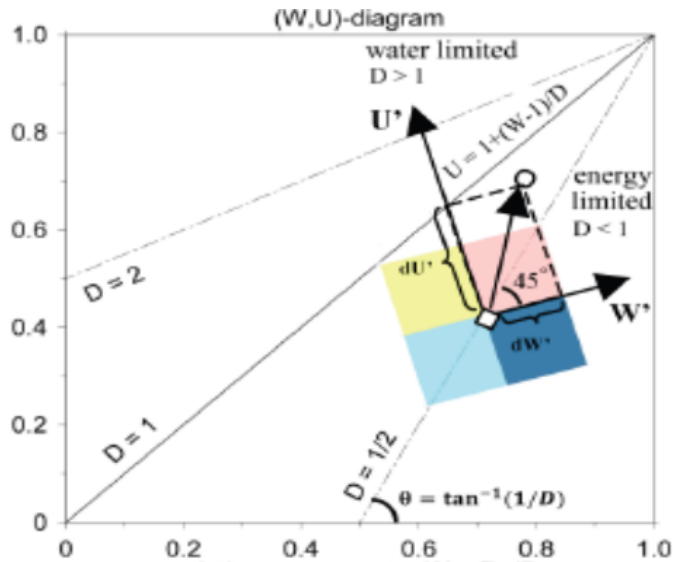


Qualitative arguments

Tomer, M, Schilling, K. 2009: A simple approach to distinguish land-use and climate-change effects on watershed hydrology, J. Hydrol., 376, 24–33.

Attribution – 1

(U,W) – state space



Gedanken Experiment with $U = H/N = 1 - E/N$; $W = R_o/P = 1 - E/P$

Internal ('human')

affecting evaporation E (but not P or N)

Change

energy-excess

water-excess

$$dU = -dE/N$$

$$dW = -dE/P$$

for example:

fix external N,P

but change E: dE

$$dU > 0$$

$$dW > 0 \quad (dE < 0)$$

$$dU < 0$$

$$dW < 0 \quad (dE > 0)$$

in (U,W)-diagram

changes along **main-diagonal**

Attribution – 2 cont'd

(U, W) – state space

$$\begin{bmatrix} dW \\ dU \end{bmatrix} = \begin{bmatrix} W_2 \\ U_2 \end{bmatrix} - \begin{bmatrix} W_1 \\ U_1 \end{bmatrix} = \begin{bmatrix} W_2 - W_1 \\ U_2 - U_1 \end{bmatrix} \quad (1)$$

$$D = N/P = (1 - W) / (1 - U) \quad (2)$$

$$S = E/N = 1 - U \quad (3)$$

$$\begin{bmatrix} dW' \\ dU' \end{bmatrix} = \begin{bmatrix} \cos(\theta - 45^\circ) & \sin(\theta - 45^\circ) \\ -\sin(\theta - 45^\circ) & \cos(\theta - 45^\circ) \end{bmatrix} \times \begin{bmatrix} W_2 - W_1 \\ U_2 - U_1 \end{bmatrix} \quad (4)$$

$$\begin{bmatrix} CT \\ AT \end{bmatrix} = \begin{bmatrix} \cos(\theta - 90^\circ) & \sin(\theta - 90^\circ) \\ -\sin(\theta - 90^\circ) & \cos(\theta - 90^\circ) \end{bmatrix} \times \begin{bmatrix} W_2 - W_1 \\ U_2 - U_1 \end{bmatrix} \quad (5)$$

$$\tan\theta = 1/D, \theta \in [0, 90^\circ], \text{ when } D = 1, \theta = 45^\circ$$

$$\begin{bmatrix} dW'_A \\ dW'_C \\ dU'_A \\ dU'_C \end{bmatrix} = \begin{bmatrix} dW' \\ dU' \end{bmatrix} \times \begin{bmatrix} \sin 45^\circ & \cos 45^\circ & 0 & 0 \\ 0 & 0 & \sin 45^\circ & \cos 45^\circ \end{bmatrix} \quad (6)$$

$$\begin{bmatrix} dS_A \\ dS_C \end{bmatrix} = \begin{bmatrix} -dU'_A \\ -dU'_C \end{bmatrix} \quad (7)$$

time-period selection

Updated trends: Temp & SPI & NDVI

selection of
climate periods
1973 – 1993
1994 – 2008

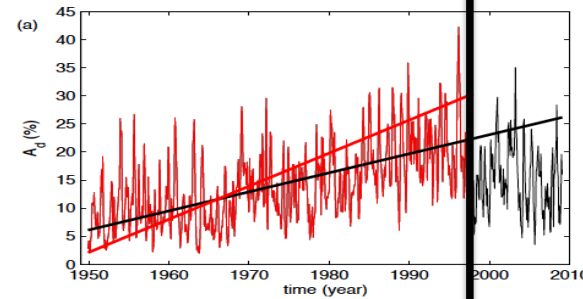
linear
trends
Europe

non-
linear
trends
Europe

NDVI-trend 1982– 2010
Qinghai-Tibet

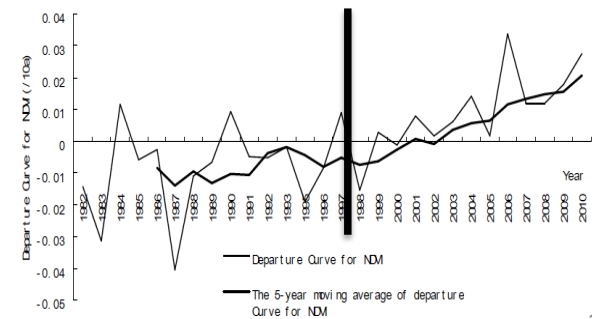
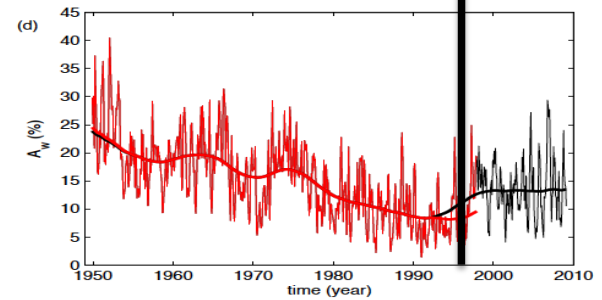
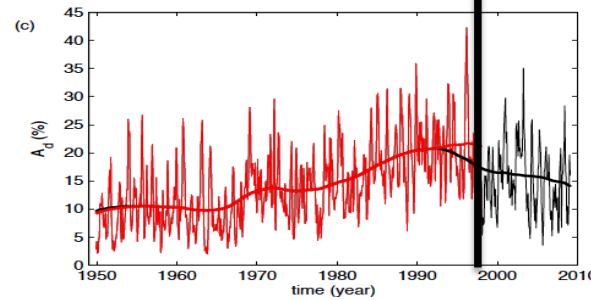
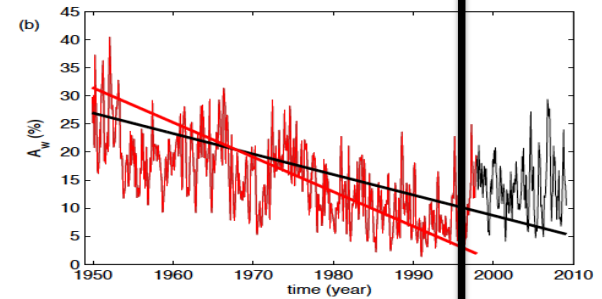
Temperature-rise
1973– 1993

stagnation
1994–2006



SPI-decline
1973– 1993

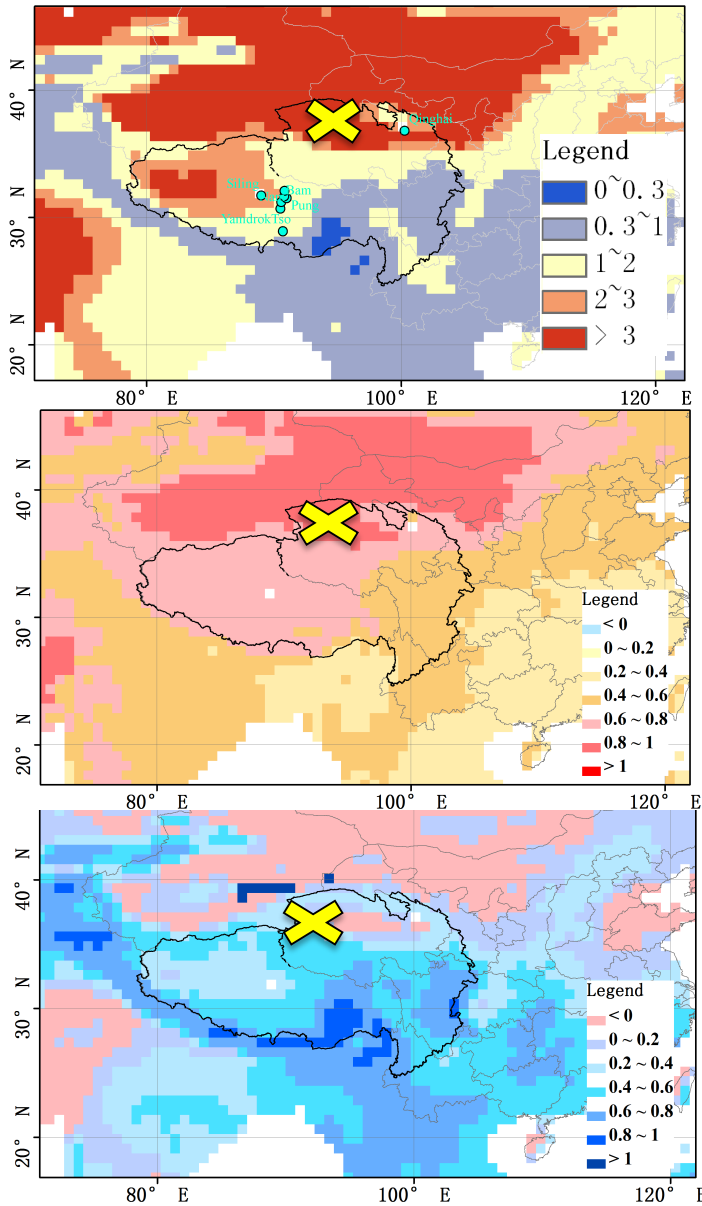
stagnation
1994–2006



$U(\text{lat, long}), W(\text{lat, long})$

\Rightarrow

(U, W) -scatter plot

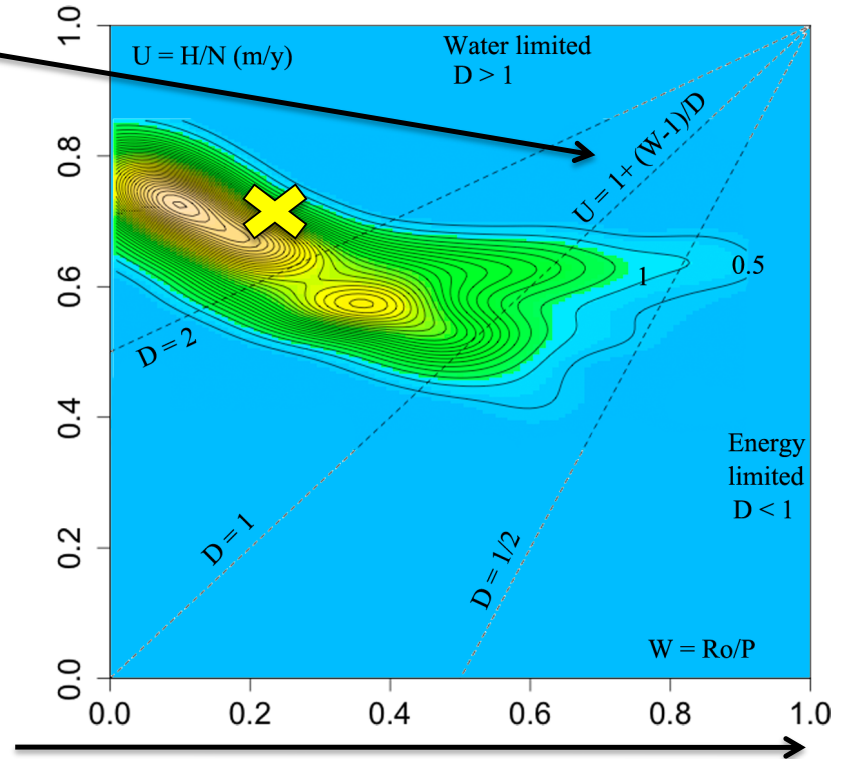


Dryness ratio
 $D = N/P = (1-U) / (1-W)$

Excess Energy
 $U = H/N$

Excess Water
 $W = R_o/P$

(U, W) -frequency distribution



X grid-point

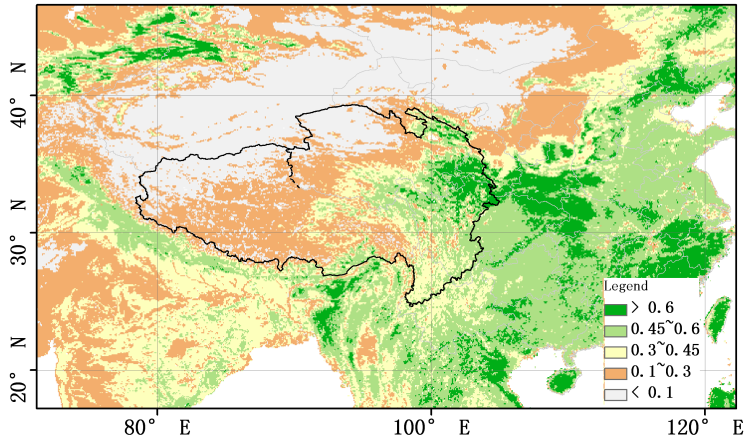
add vegetation (NDVI-greenness)

.... as 'passive tracer' in physical state space

at gridpoints

from 2 variables (U,W)-pairs

to 3 variables (U, W, NDVI)-triplets

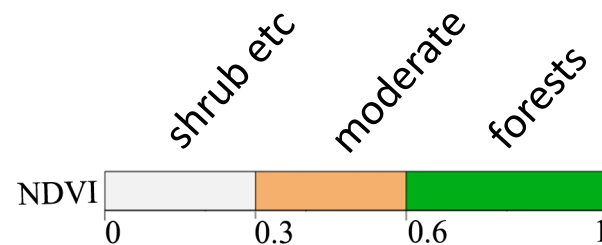
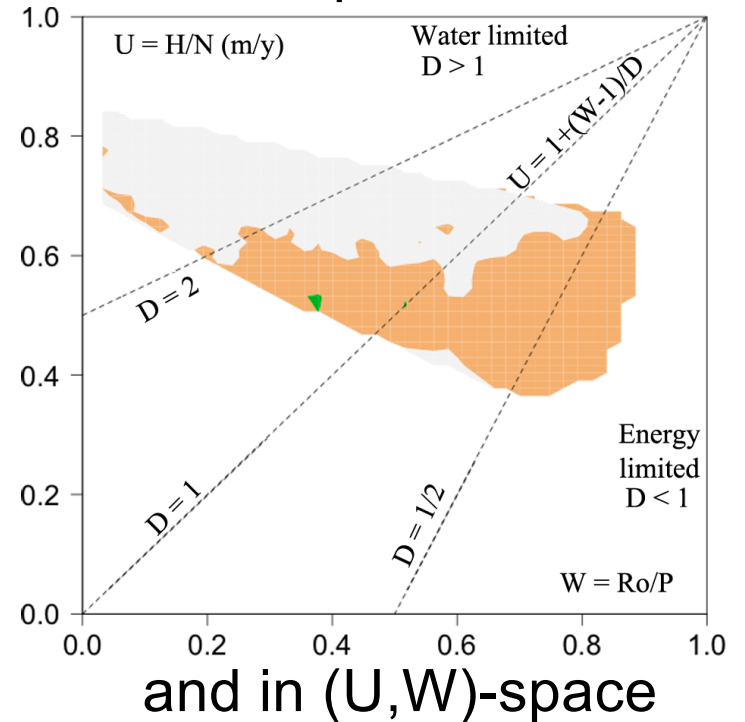


NDVI in geographical space

Period-1: 1982 - 1993

=> (U, W, NDVI)

coupling biotic & abiotic processes



(U,W) and (NDVI) climates

(U,W) - state space

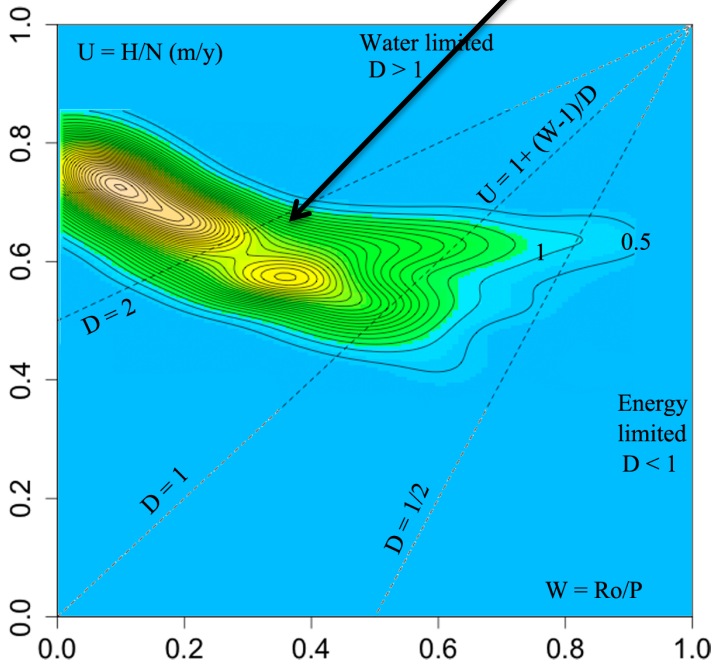
Period-1: 1982 - 1993

Notes

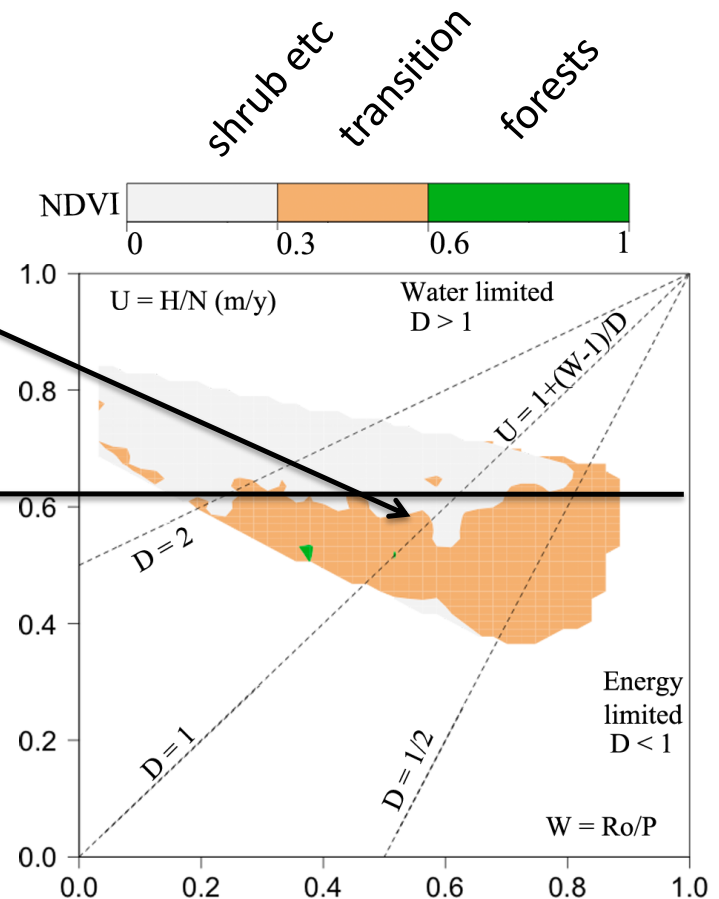
at $D = 2$: Bimodality gap
 semidesert \Leftrightarrow steppe
 NDVI-shrub \Leftrightarrow transition

$D < 1$: energy ltd
 NDVI-moderate

$U \sim 0.6$ NDVI-separation
 changes with U
 independent on W



Frequencies in (U,W)-space



NDVI in (U,W)-space

shrub etc
 transition
 forests

Attribution of change

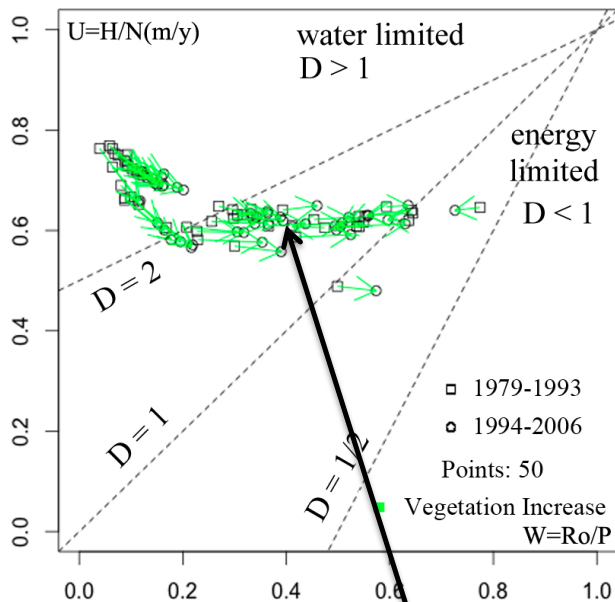
Tibet-only trajectories

$$d(\text{NDVI}) > 0$$

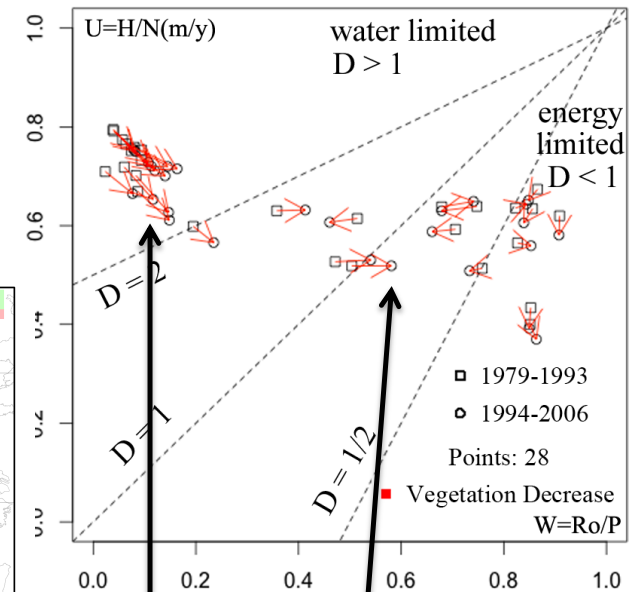
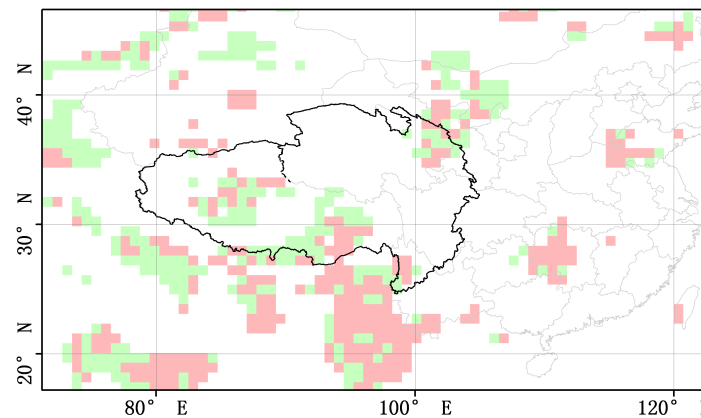
$$d(\text{NDVI}) < 0$$

from period-1 to period-2

from period-1 to period-2



Significant ERA-size pixels: 78 (373)



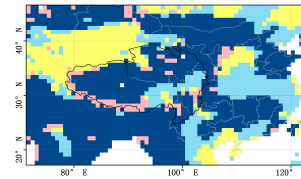
Notes:

50 sign. pixels: $d\text{NDVI} > 0$
 in water ltd regimes $D = N/P > 1$
 low NDVI becomes greener:
 $\Leftrightarrow D$ decreases \Leftrightarrow wetter climate

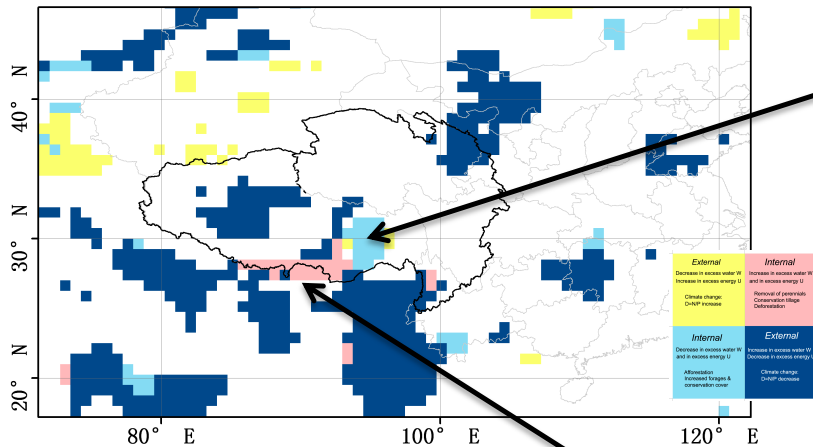
Notes:

28 sign. pixels: $d\text{NDVI} < 0$
 in water & energy ltd regimes
 barely vegetated NW &
 well forested SE

Attribution of change (on ERA-scale)



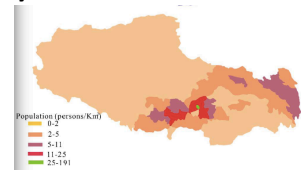
significant: > 1 std-dev of U or W



1. **external causes** (dark blue):

Mostly wet tendencies controlled by dynamics

2. **internal** (light blue): population density increase 1990 - 2000 by ½ million to 2 616 300



3. **NDVI changes**

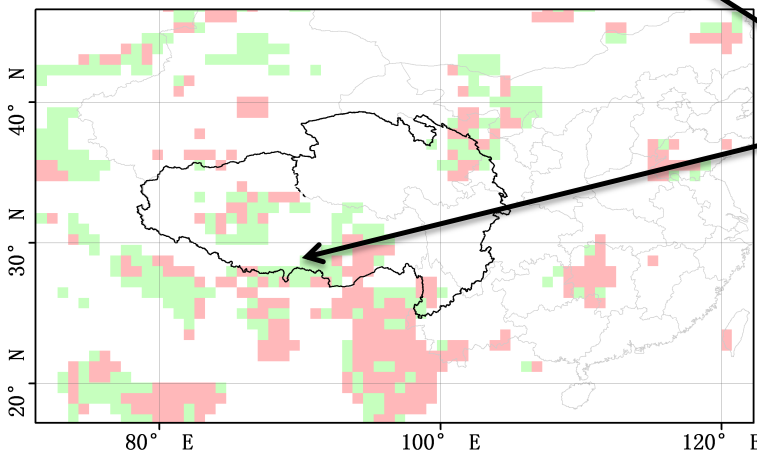
Increasing excess water $dW > 0 \Rightarrow d(NDVI) > 0$

melting ice/permafrost \Rightarrow moisture supply

Decreasing excess water $dW < 0 \Rightarrow d(NDVI) < 0$

Steppe: Cona, Shannan, Medog, Nyingcin

Vegetation-NDVI at **significant** ERA-pixels



NDVI-greenness relevant for interpretation

Himalaya: (pink) & ground heatflux $G = 0$

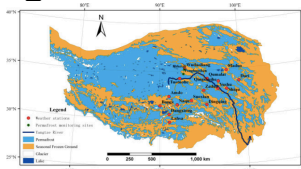
BUT: $d(NDVI) > 0$: vegetation increase

\Rightarrow ground flux reduced ($G1 > G2$)

\Rightarrow semidesert excess energy U2 reduced

$$U1 = H/(N - G1) > U2 = H/(N - G2)$$

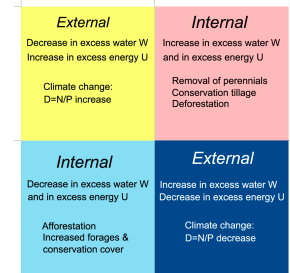
\Rightarrow Himalaya external (dark blue & not 'pink')



Attribution of change

NDVI-scale pixels downscaling

Vegetation (NDVI)	Attribution (percentage)			
	Entire		Significant	
Region	External	Internal	External	Internal
Increase	3.8	7.7	2.0	8.5
Decrease	3.1	7.0	0.6	7.7
Increase	Internal	External	Internal	External
Decrease	8.4	41.4	7.2	44.1
	4.8	23.8	6.8	23.1



21% Sign. large scale (U,W)- & area average NDVI-change:
70% external (46% in- vs. 24% decreasing NDVI) – d-blue/yellow
30% internal (15.5% increase vs. 14.5% decrease) – pink/l-blue

Chen et al. (2014): Net Primary Prod. Model
for alpine Tibetan grassland (1982 - 2011)

Area of grassland change attribution
68.5% due to changing climate
31.5% due to **human** activities

Climate change and human activities

Impact on land surface dynamics: **Tibetan Plateau**

Attribution Analysis: First and second periods (1982 – 1993 and 1994 – 2006, ERA-Interim)

State space climates: bimodal distribution with two distinct geobotanic regimes (semidesert and Steppe) of low and moderate vegetation-greenness
Gaps at dryness $D = 2$ (net radiation over precipitation) and greenness $NDVI=0.3$

Total Area of signif. changes (first / second period): external (70%) and internal (30%)
21% sign. large scale (U,W)-change **and** area average NDVI-change; $(dU, dW) > (std(U), std(W))$
70% external (46% in- vs. 24% decreasing NDVI)
30% internal (15.5% increase vs. 14.5% decrease)

Areas of significant (U,W)-changes :

(i) 36.2% (63.8%) of significant NDVI changes show NDVI decrease (increase)
(indep. of vegetation type & aridity)

Attribution conditioned joint distributions of NDVI vs NDVI-change: 38.2% decreasing (61.8% increasing) coverage with low (moderate) NDVI; high NDVI-areas slightly reduced.

Water surplus regions: benefit from climate change (vegetation greenness growth)

Energy surplus regions (Himalayas): ambiguous change attribution as internal
but heat storage deficit due to increasing vegetation being neglected

The End – 1
Thank You