

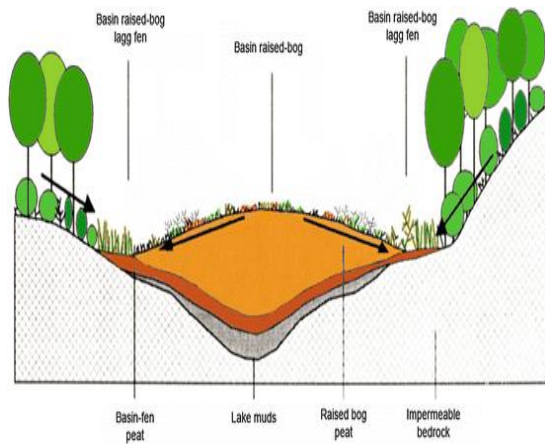
Parameterization of wetlands water level in land surface model

1,4Bogomolov V., 1,5Dyukarev E., 2,3,4Stepanenko V.

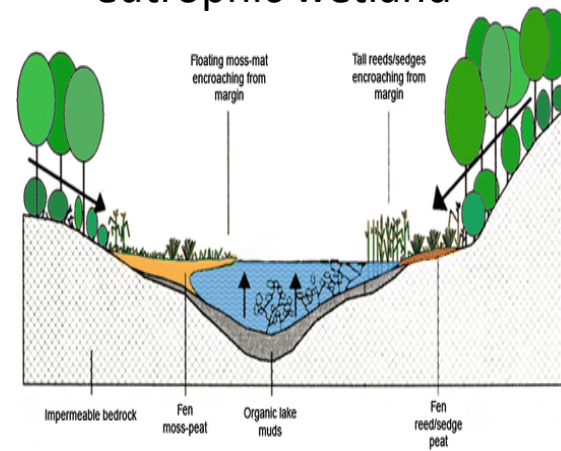
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University

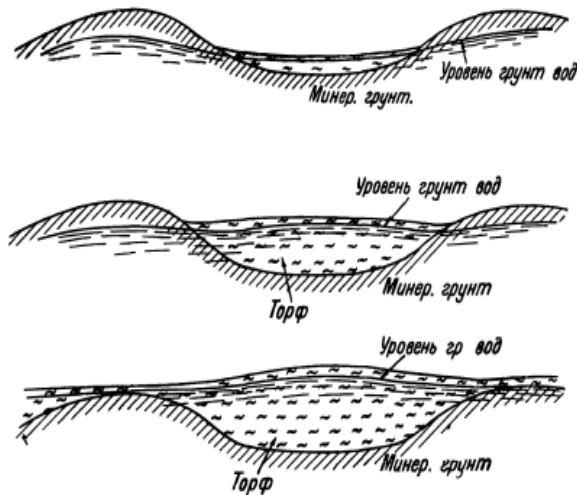
oligotrophic wetland



eutrophic wetland



Dyukarev, Geogr. and Nat. Res. 2013 No. 1.

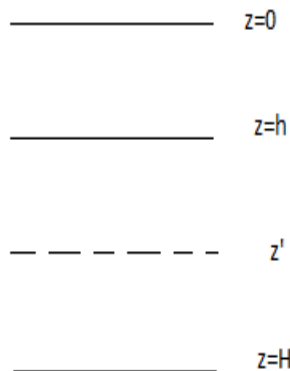


K.E. Ivanov. Hydrology of swamps. Gidrometizdat 1953. 296 s

Mathematical formulation

$$\frac{\partial \rho_w}{\partial t} = -\operatorname{div} \overrightarrow{F_w} \quad (1)$$

$$F_{W_x} = \rho_{w_0} V_{f_x}; \quad V_{f_x} = k \frac{\partial}{\partial x} \Phi^* \quad (2)$$



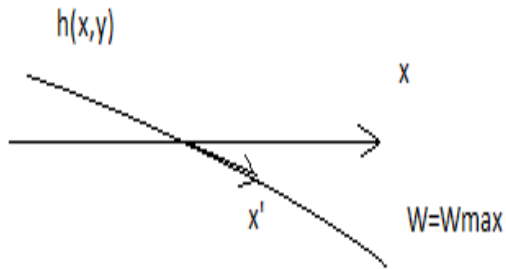
Let there be some level in the soil $z = h$ such that for $z > h(x, y)$:

$$-g = \frac{\partial \Phi^*}{\partial z} \quad (3); \quad W \approx W_{\max}$$

that is, the soil is saturated and the hydrostatic equation is fulfilled with good accuracy.

$$V_{f_x} = k \left[\left. \frac{\partial \Phi^*}{\partial x} \right|_{h(x,y)} + \frac{\partial h}{\partial x} \left(g + \left. \frac{\partial \Phi^*}{\partial z} \right|_{z=h(x,y)} \right) \right] = B_x$$

$$-\frac{\partial F_{W_x}}{\partial x} - \frac{\partial F_{W_y}}{\partial y} = -\rho_{w_0} \left[\frac{\partial B_x}{\partial x} + \frac{\partial B_y}{\partial y} \right]$$



$$\Phi(x, y, z, t) \rightarrow \Phi(x', y, z', t)$$

Based on our assumptions, we know that:

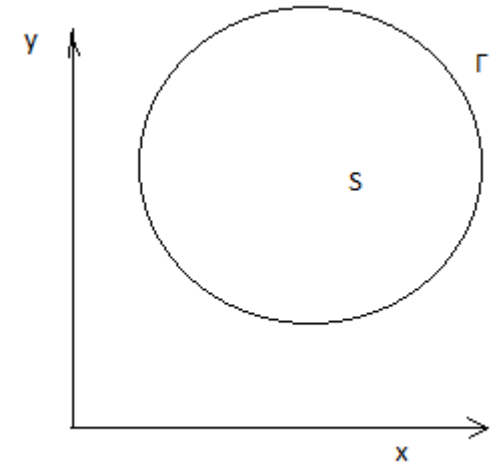
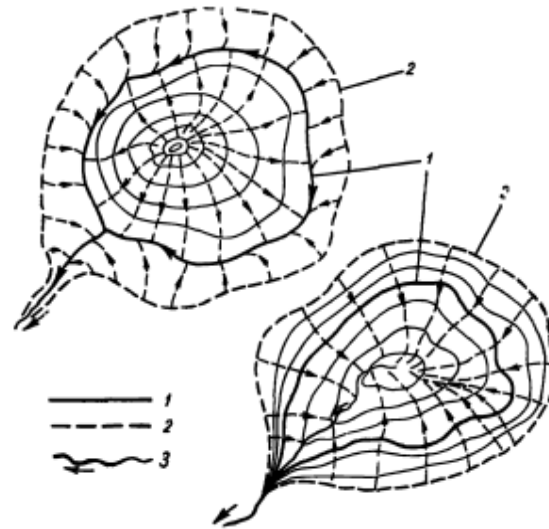
$$\frac{\partial W}{\partial x'} = 0, \frac{\partial \Phi}{\partial z} = -g$$

Wounded (2) can be reduced to the form

$$\left. \frac{\partial \Phi^*}{\partial x} \right|_{h(x,y)} = -g \tan \alpha$$

Averaging Equations?

Классы мезоландшафтов	Рельеф вогнутый	Рельеф выпуклый
I		
III		
IIб		
IV		
IIа		
Vб		
Vа		
VIII		
VII		
VI		—
IX		—



Scheme of water stagnation on bog massifs (Ivanov, 1953)

1 - swamp border, 2 - watershed line, 3 - streams

Development of bog mesolandscapes in different relief conditions. (Ivanov, 1975).

$$\frac{\partial \bar{W}}{\partial t} = -\frac{1}{\rho_d} \frac{\partial \bar{F}_{Wz}}{\partial z} + kg \frac{\rho_{w_0}}{\rho_d} \nabla h \oint_{\Gamma} \vec{n} dl$$

Thanks for attention!